

HELIUM25 - Helium burning and perspectives for underground labs

21–25 lug 2025

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Helium burning with Trojan Horse method



The need of indirect methods



to measure cross sections at energies never reached / reached but with very large uncertainties

to retrieve information on electron screening effect when ultra-low energy measurements are available *Plasma screening \neq Lab screening*

complementary to the direct ones



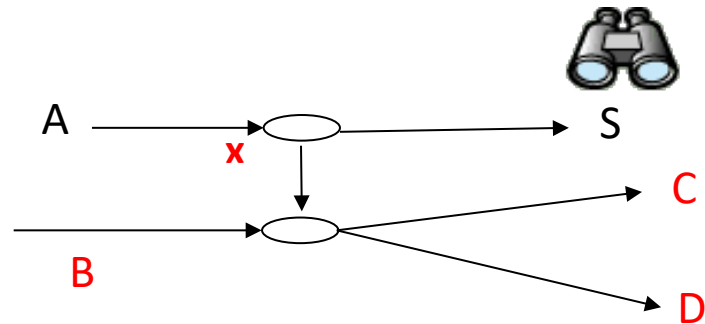
THM description: overcoming the CB

Main idea: to get the 2-body reaction σ
selecting the quasi-free mechanism
from the σ of a properly chosen 3-body
reaction

$A+B \rightarrow C+D+S$
The 3-body reaction
you perform in the lab

A is the Trojan Horse nucleus

$x \oplus S$

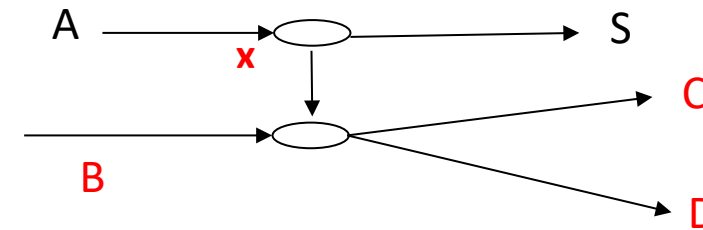


$x+B \rightarrow C+D$
The binary
reaction of
interest

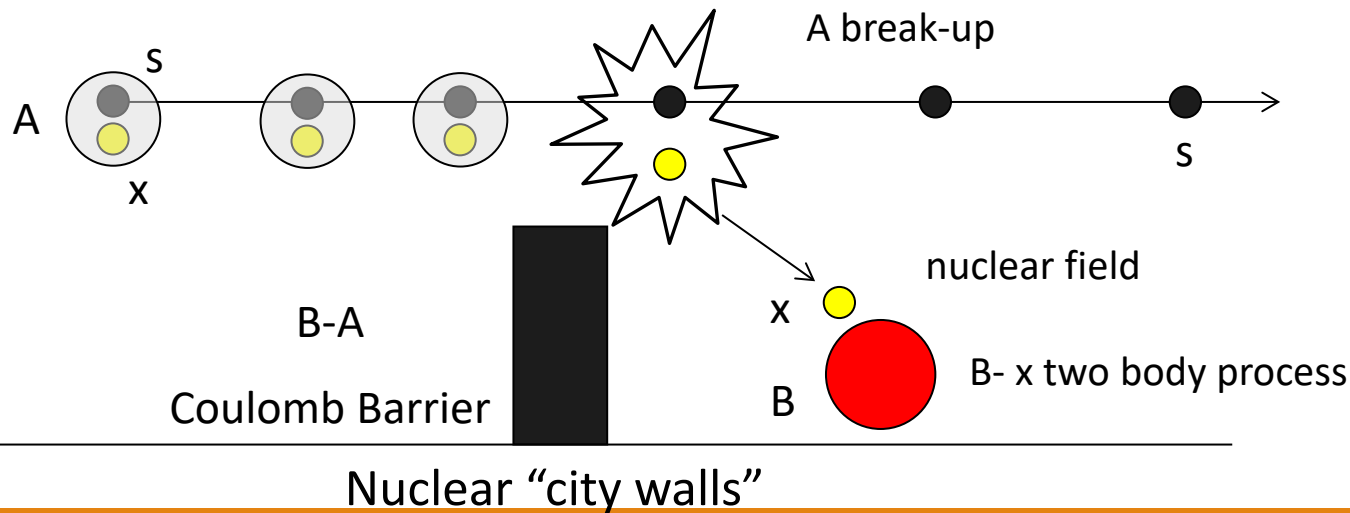
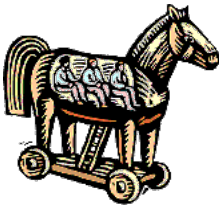
THM description: overcoming the CB

$$E_A > (E_{AB})_{\text{Coulomb Barrier}}$$

The nucleus A can be brought into nuclear field of nucleus B and the cluster x induces the reaction
 $x + B \rightarrow C + D$



Trojan Horse nucleus



Coulomb effects and electron screening are negligible

THM description: going to low energies

$$E_{\text{qf}} = E_{\text{xB}} - B_{\text{x-S}} = E_{\text{cD}} - Q_{2\text{b}}$$

E_{xB} is the beam energy in the center of mass of the two body reaction

$B_{\text{x-S}}$ binding energy of the two clusters inside the Trojan Horse

plays a key role in compensating for the beam energy



*under proper
kinematical conditions*

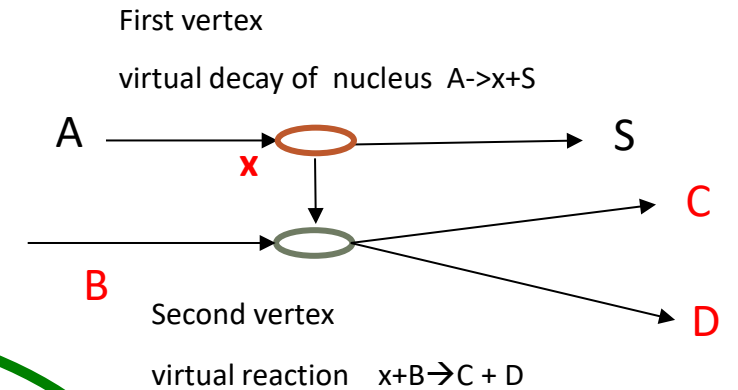
THM description: QF mechanism

QF mechanism: the spectator in the exit channel keeps the same momentum inside the TH nucleus.

In **PWIA** the cross section of the 3-body reaction can be factorized in two terms corresponding to the two vertices

$$\frac{d^3\sigma}{dE_C d\Omega_C d\Omega_D} \propto \overset{\text{kinematical factor}}{KF} [F(q)_{xS}]^2 \left[\frac{d\sigma}{d\Omega} \right]^{TH}_{x+B \rightarrow C+D}$$

$|F(q_{xS})|^2$ describes the intercluster (x-S) momentum distribution



THM description: direct-indirect σ

THM no absolute cross section \rightarrow Normalization to direct measurements at higher energies
(main validity test)

Excitation function

ABOVE COULOMB BARRIER

$$\left[\frac{d\sigma}{dE, d\Omega} \right]_{x+B \rightarrow C+D}^{TH (HOES)} \propto \left[\frac{d\sigma}{dE, d\Omega} \right]_{x+B \rightarrow C+D}^{Direct (OES)}$$

BELOW COULOMB BARRIER

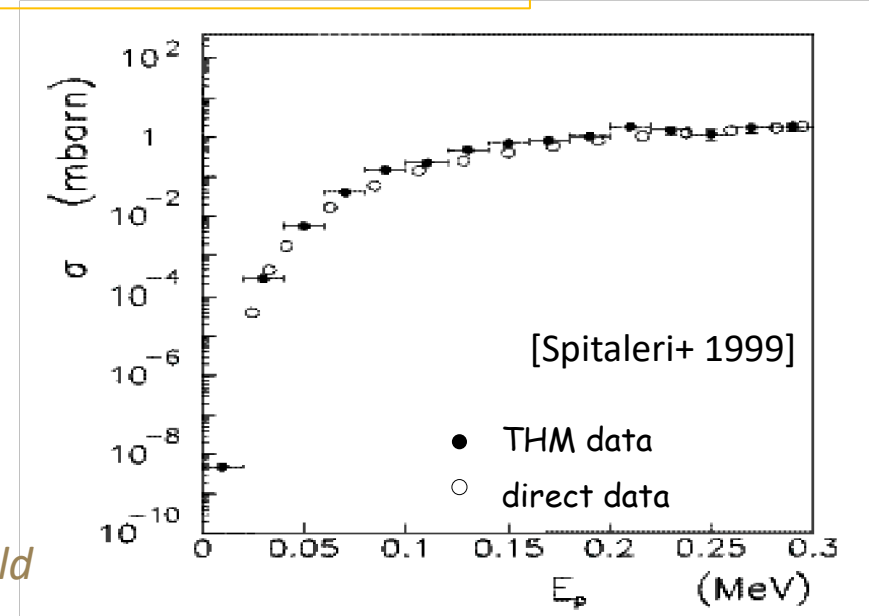
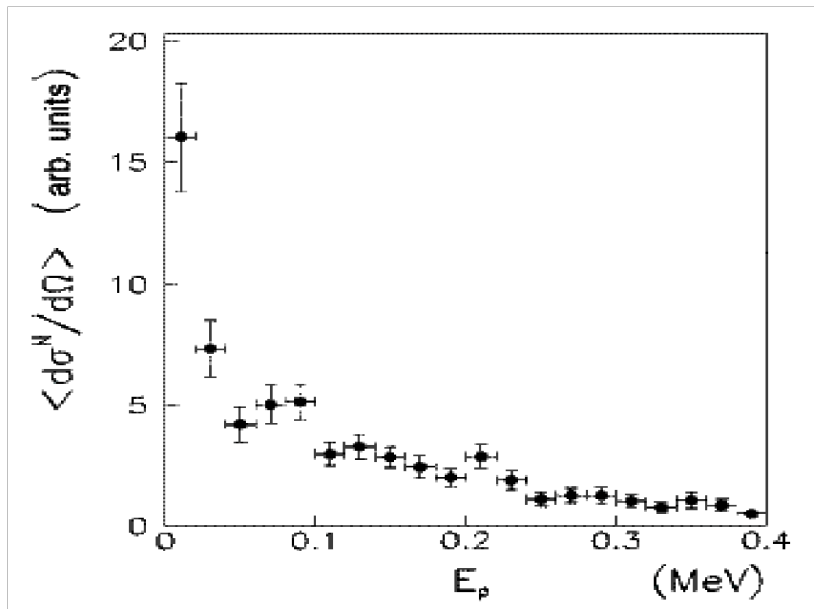
$$\left[\frac{d\sigma}{dE, d\Omega} \right]_{x+B \rightarrow C+D}^{TH (HOES)} * \sum P_l \propto \left[\frac{d\sigma}{dE, d\Omega} \right]_{x+B \rightarrow C+D}^{Direct (OES)}$$



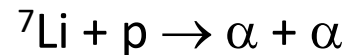
$$P_l(q_{ax}) = \frac{1}{G_l^2(k_{ax}R) + F_l^2(k_{ax}R)}$$

THM description: direct-indirect σ

$$\left[\frac{d\sigma}{dE, d\Omega} \right]_{x+B \rightarrow C+D}^{TH (HOES)} * \sum P_l \propto \left[\frac{d\sigma}{dE, d\Omega} \right]_{x+B \rightarrow C+D}^{Direct (OES)}$$



#oldbutgold




Other approaches – Modified PWBA

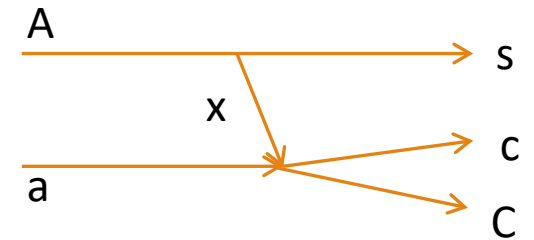
From DWBA: surface approximation... → “Modified Plane Wave Born Approximation”
for non resonant reactions [Typel et al. 2000], [Typel et al. 2003] ...

DWBA (Distortions are introduced in the c+C channel while Plane Waves hold for the 3-body entrance/exit channel) → surface approximation (only peripheral reactions are considered)

$$\frac{d^3\sigma}{dE_C d\Omega_C d\Omega_c} \propto K F' \left| W(\vec{Q}_{Bs}) \right|^2 \frac{v_{Cc}}{k_{Cc}^2 Q_{Aa}^2 v_{ax}} \sum_l \left(\frac{d\sigma_l}{d\Omega} \right)_{ax \rightarrow Cc}$$



$$Q_{Bs} = k_{Bs}^f - k_{Aa}^i \frac{m_s}{m_x + m_s}$$



Other approaches – Modified R-matrix

Resonant reactions: standard R-Matrix approach cannot be applied to extract the resonance parameters of the B(x,C)D reaction because x is virtual → Modified R-Matrix [e.g. La Cognata et al. 2010] is introduced instead, where the cross section takes the form

$$\frac{d^2\sigma}{dE_{xA}d\Omega_s} = \text{NF} \sum_{\tau} (2J_{\tau} + 1) \times \left| \sqrt{\frac{k_f(E_{xA})}{\mu_{cC}}} \frac{\sqrt{2P_{l_{\tau}}(k_{cC}R_{cC})} M_{\tau}(p_{xA}R_{xA}) \gamma_{cC\tau} \gamma_{xA\tau}}{D_{\tau}(E_{xA})} \right|^2$$

where:

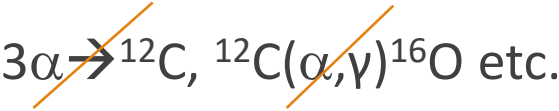
- $M_{\tau}(p_{xA}R_{xA})$ describes the transfer amplitude for the QF-process (the transfer reaction, upper vertex)
- $\gamma_{xA\tau}$ and $\gamma_{cC\tau}$ represents the reduced partial widths for the resonant excited states *that are the same of the direct measurements* → you can extract the γ 's reduced widths from the THM reaction yield.

	Indirect reaction	Direct reaction	References
[1]	${}^2\text{H}({}^7\text{Li}, \alpha\alpha)\text{n}$	${}^1\text{H}({}^7\text{Li}, \alpha){}^4\text{He}$	Spitaleri et al 1999, Lattuada et al 2001 [193]
[2]	${}^3\text{He}({}^7\text{Li}, \alpha\alpha)\text{d}$	${}^2\text{H}({}^7\text{Li}, \alpha){}^4\text{He}$	Tumino et al 2006 [194]
[3]	${}^2\text{H}({}^6\text{Li}, \alpha{}^3\text{He})\text{n}$	${}^1\text{H}({}^6\text{Li}, \alpha){}^3\text{He}$	Tumino 2003 [84]
[4]	${}^6\text{Li}({}^6\text{Li}, \alpha\alpha){}^4\text{He}$	${}^2\text{H}({}^6\text{Li}, \alpha){}^4\text{He}$	Spitaleri et al 2001 [18]
[5]	${}^2\text{H}({}^9\text{Be}, \alpha{}^6\text{Li})\text{n}$	${}^1\text{H}({}^9\text{Be}, \alpha){}^6\text{Li}$	Wen et al 2008 [195]
[6]	${}^2\text{H}({}^{10}\text{B}, \alpha{}^7\text{Be})\text{n}$	${}^1\text{H}({}^{10}\text{B}, \alpha){}^7\text{Be}$	Lamia et al 2008, Rapisarda et al 2018, Cvetinovic et al 2018 [196, 197, 198]
[7]	${}^2\text{H}({}^{11}\text{B}, \alpha_0{}^8\text{Be})\text{n}$	${}^1\text{H}({}^{11}\text{B}, \alpha){}^8\text{Be}$	Spitaleri et al 2004, Lamia et al 2011 [199, 200]
[8]	${}^2\text{H}({}^{15}\text{N}, \alpha{}^{12}\text{C})\text{n}$	${}^1\text{H}({}^{15}\text{N}, \alpha){}^{12}\text{C}$	La Cognata et al 2007 [201]
[9]	${}^2\text{H}({}^{18}\text{O}, \alpha{}^{15}\text{N})\text{n}$	${}^1\text{H}({}^{18}\text{O}, \alpha){}^{15}\text{N}$	La Cognata et al 2009 [202]
[10]	${}^2\text{H}({}^{17}\text{O}, \alpha{}^{14}\text{N})\text{n}$	${}^1\text{H}({}^{17}\text{O}, \alpha){}^{14}\text{N}$	Sergi et al 2010, Sergi et al. 2015 [85, 86]
[11]	${}^6\text{Li}({}^3\text{He}, \text{p}{}^4\text{He}){}^4\text{He}$	${}^2\text{H}({}^3\text{He}, \text{p}){}^4\text{He}$	La Cognata et al 2005 [203]
[12]	${}^2\text{H}({}^6\text{Li}, \text{p}{}^3\text{H}){}^4\text{He}$	${}^2\text{H}(\text{d}, \text{p}){}^3\text{H}$	Rinollo et al 2005 [204]
[13]	${}^6\text{Li}({}^{12}\text{C}, \alpha{}^{12}\text{C}){}^2\text{H}$	${}^4\text{He}({}^{12}\text{C}, {}^{12}\text{C}){}^4\text{He}$	Spitaleri et al 2000 [205]
[14]	${}^2\text{H}({}^6\text{Li}, \text{t}{}^4\text{He}){}^1\text{H}$	$\text{n}({}^6\text{Li}, \text{t}){}^4\text{He}$	Tumino et al 2005, Gulino et al 2010 [206, 207]
[15]	${}^2\text{H}(\text{p}, \text{pp})\text{n}$	${}^1\text{H}(\text{p}, \text{p}){}^1\text{H}$	Tumino et al 2007, Tumino et al 2008 [208, 209]
[16]	${}^2\text{H}({}^3\text{He}, \text{p}{}^3\text{H}){}^1\text{H}$	${}^2\text{H}({}^2\text{H}, \text{p}){}^3\text{H}$	Tumino et al 2011, Tumino et al 2014 [94, 89]
[17]	${}^2\text{H}({}^3\text{He}, \text{n}{}^3\text{He}){}^1\text{H}$	${}^2\text{H}({}^2\text{H}, \text{n}){}^3\text{He}$	Tumino et al 2011, Tumino et al 2014 [94, 89]
[18]	${}^2\text{H}({}^{19}\text{F}, \alpha{}^{16}\text{O})\text{n}$	${}^1\text{H}({}^{19}\text{F}, \alpha){}^{16}\text{O}$	La Cognata et al 2011, Indelicato et al 2017 [28, 139]
[19]	${}^{13}\text{C}({}^6\text{Li}, \text{n}{}^{16}\text{O}){}^2\text{H}$	${}^{13}\text{C}(\alpha, \text{n}){}^{16}\text{O}$	La Cognata et al 2014 [210]
[20]	${}^2\text{H}({}^{18}\text{F}, \alpha{}^{15}\text{O})\text{n}$	${}^1\text{H}({}^{18}\text{F}, \alpha){}^{15}\text{O}$	Cherubini et al 2015, Pizzone et al. 2016, La Cognata et al., 2017 [211, 212, 213]
[21]	${}^2\text{H}({}^{10}\text{B}, \alpha{}^7\text{Li}){}^1\text{H}$	$\text{n}({}^{10}\text{B}, \alpha){}^7\text{Li}$	Guardo et al 2019, Sparta et al 2021 [214, 215]
[22]	${}^2\text{H}({}^7\text{Be}, \alpha\alpha){}^1\text{H}$	$\text{n}({}^7\text{Be}, \alpha){}^4\text{He}$	Lamia et al 2017, Lamia et al 2019, Hayakawa et al 2021 [106, 108, 110]
[23]	${}^{12}\text{C}({}^{14}\text{N}, \alpha{}^{20}\text{Ne}){}^2\text{H}$	${}^{12}\text{C}({}^{12}\text{C}, \alpha){}^{20}\text{Ne}$	Tumino et al 2018 [26]
[24]	${}^{12}\text{C}({}^{14}\text{N}, \text{p}{}^{23}\text{Na}){}^2\text{H}$	${}^{12}\text{C}({}^{12}\text{C}, \text{p}){}^{23}\text{Na}$	Tumino et al 2018 [26]
[25]	${}^6\text{Li}({}^{19}\text{F}, \text{p}{}^{22}\text{Ne}){}^2\text{H}$	${}^4\text{He}({}^{19}\text{F}, \text{p}){}^{22}\text{Ne}$	Pizzone et al 2017, Dagata et al 2018 [212, 216]
[26]	${}^2\text{H}({}^{17}\text{O}, \alpha{}^{14}\text{C}){}^1\text{H}$	${}^{17}\text{O}(\text{n}, \alpha){}^{14}\text{C}$	Oliva et al 2020 [217]
[27]	${}^2\text{H}({}^3\text{He}, \text{pt}){}^1\text{H}$	${}^3\text{He}(\text{n}, \text{p}){}^3\text{H}$	Pizzone et al 2021 [218]
[28]	${}^2\text{H}({}^7\text{Be}, \text{p}{}^7\text{Li}){}^1\text{H}$	$\text{n}({}^7\text{Be}, \text{p}){}^7\text{Li}$	Hayakawa et al 2021 [110]
[29]	${}^2\text{H}({}^{27}\text{Al}, \alpha{}^{24}\text{Mg})\text{n}$	${}^{27}\text{Al}(\text{p}, \alpha){}^{24}\text{Mg}$	Palmerini et al 2021, La Cognata et al. 2022 [137, 135, 136]

TH measurements

[Tumino et al., 2025, Progress on Particle and Nuclear Physics]

About the He-burning



«Other» (not about energy prod.) reactions:

- ${}^{18}\text{O}(\text{p}, \alpha){}^{15}\text{N}$ & ${}^{14}\text{N}(\text{n}, \text{p}){}^{14}\text{C} \rightarrow$ fluorine nucleosynthesis
- ${}^{13}\text{C}(\alpha, \text{n}){}^{16}\text{O}$ & ${}^{22}\text{Ne}(\alpha, \text{n}){}^{25}\text{Mg} \rightarrow$ s-process n supply

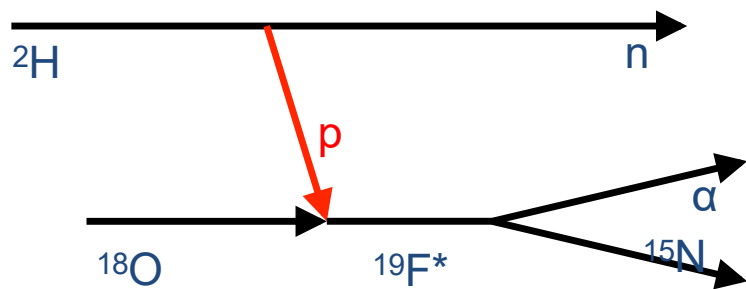


(credits to M. La Cognata)

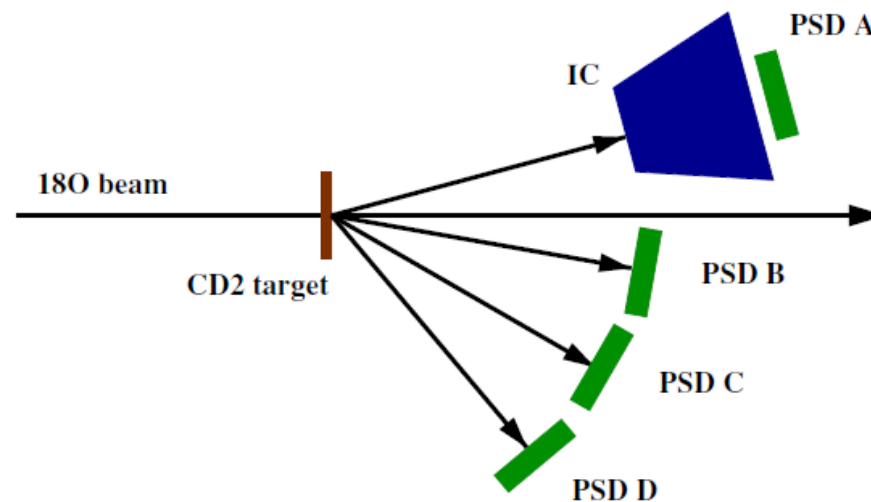


(credits to M. La Cognata)

three-body process \rightarrow $^2\text{H}(^{18}\text{O},\alpha^{15}\text{N})n$:



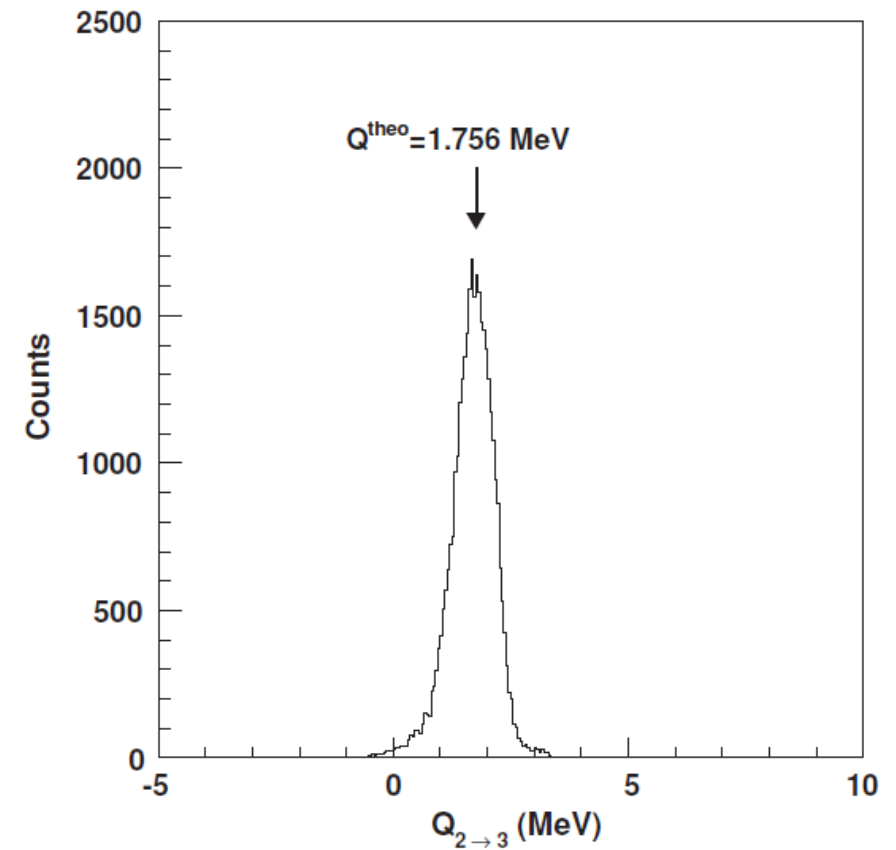
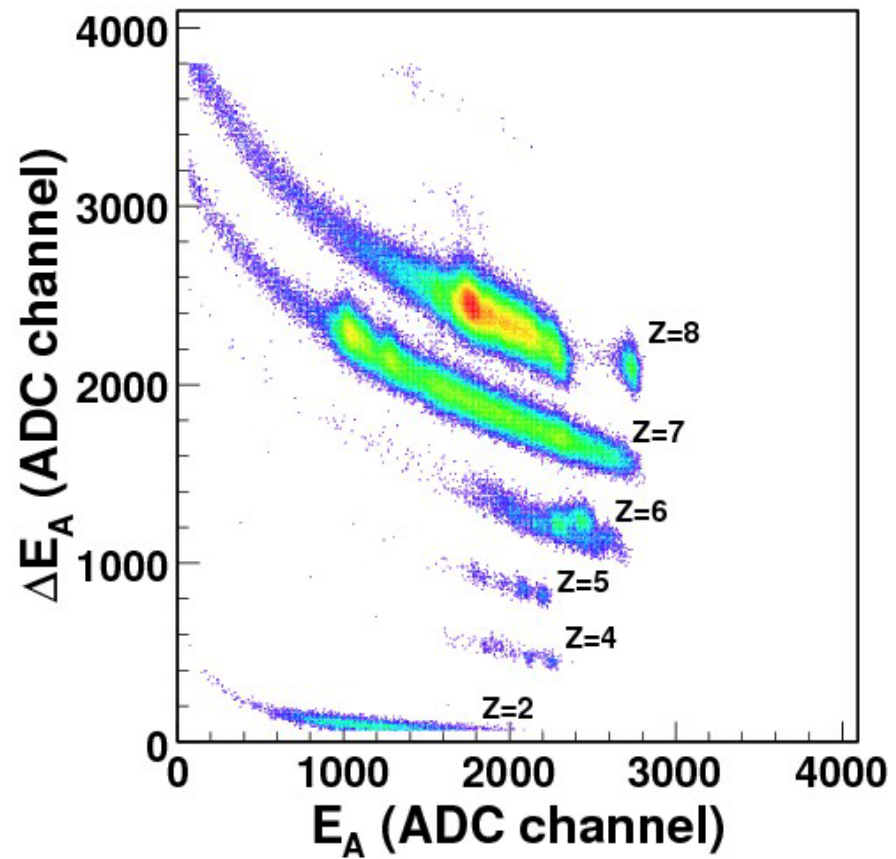
$E_b=54\text{MeV}$, CD_2 target $100\text{ }\mu\text{g}/\text{cm}^2$
 telescope A for ^{15}N detection
 3 PSDs (B, C, D) (no ΔE , to lower
 detection thresholds)

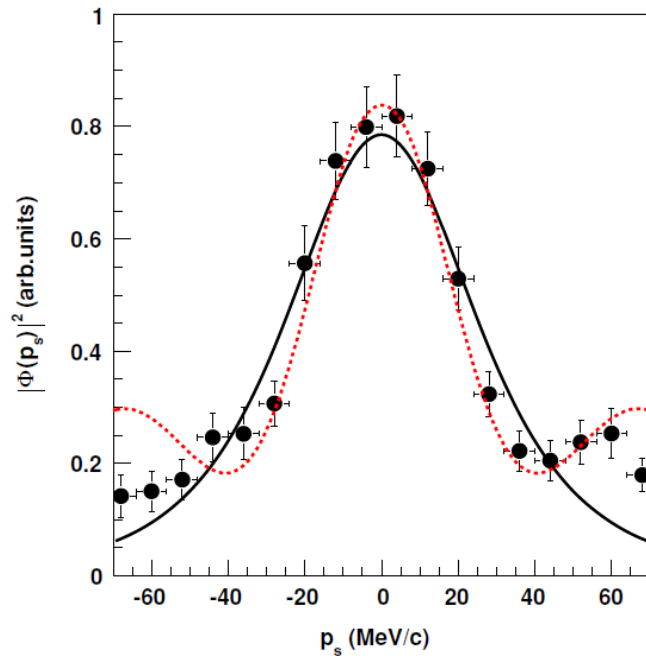


[La Cognata+,PRL2008]

[La Cognata+,ApJ2010 vol708 «A novel approach...»]

[La Cognata+,ApJ2010 vol723 «Effect of high-energy resonances...»]





**DWBA momentum distribution
(potential parameters from Perey & Perey)
Distortions negligible below 50 MeV/c**

Good agreement inside a 50 MeV/ c momentum window

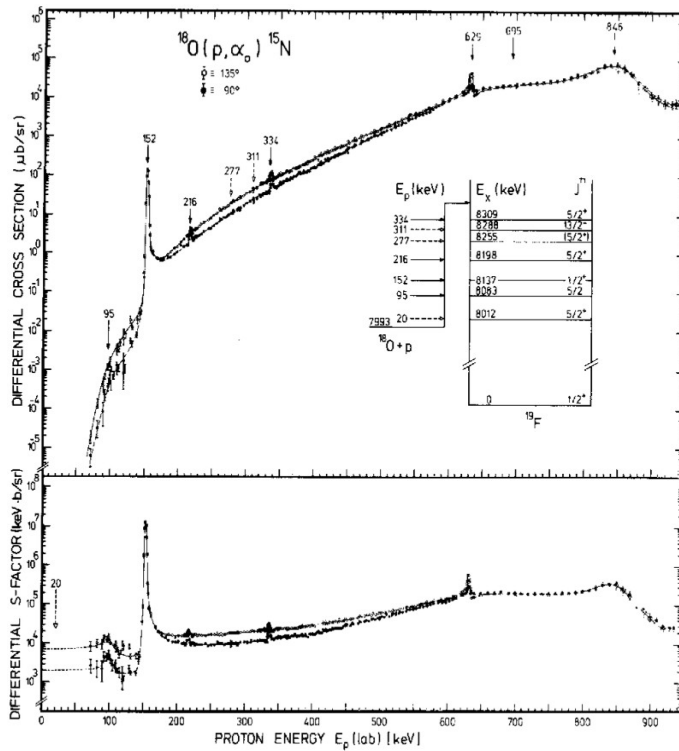
«Distortions, if any, should influence only the tails of the distribution (Spitaleri et al. 2004), beyond the range of interest, corresponding to short n-p relative distances, as only the nuclear interaction can influence the ^{18}O -p interaction.»

$^{18}\text{O}(p,\alpha)^{15}\text{N}$

~50 resonances in the 0-7 MeV region, but the main contribution to RR is given by the resonances:

- 1 20 keV $J\pi=5/2^+$
- 2 144 keV $J\pi=1/2^+$ (well established)
- 3 656 keV $J\pi=1/2^+$

The 656 keV resonance provides a significant contribution to the reaction rate both at low and high temperatures. The strength and FWHM of the 656 keV are very uncertain (~ 300%).



Modified R-Matrix is introduced

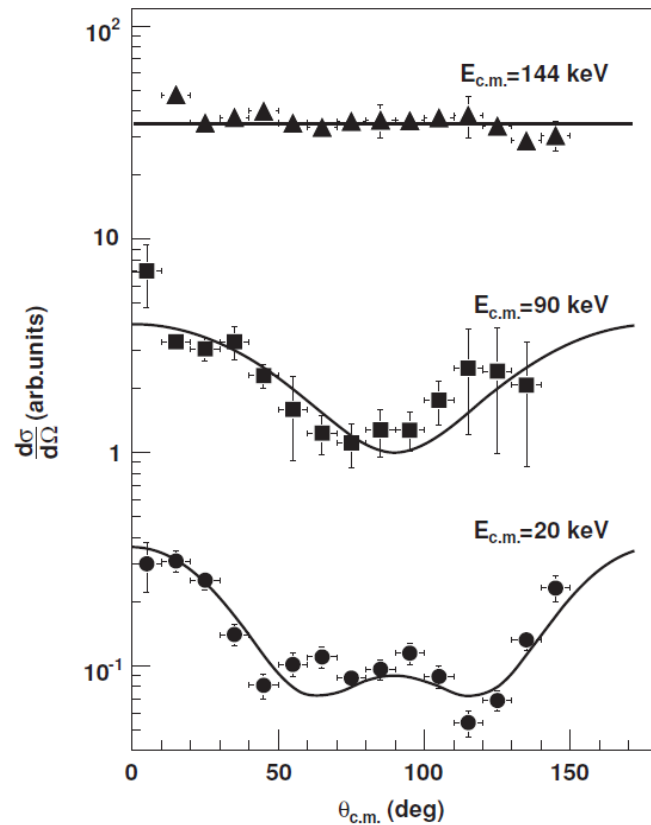
In the case of a resonant THM reaction the cross section takes the form

$$\frac{d^2\sigma}{dE_{Cc} d\Omega_s} \propto \frac{\Gamma_{(Cc)_i}(E) |M_i(E)|^2}{(E - E_{Ri})^2 + \Gamma_i^2(E)/4}$$

$M_i(E)$ is the amplitude of the transfer reaction (upper vertex) that can be easily calculated

→ The resonance parameters can be extracted and in particular the strength

$^{18}\text{O}(p,\alpha)^{15}\text{N}$



Assignment of spin and parity of the resonances is obtained by fitting the angular distribution with the formula

$$\frac{d\sigma}{d\Omega_{c.m.}} = \frac{d\sigma}{d\Omega_{c.m.}}(90^\circ) (1 + A_2(E) \cos^2 \theta + A_4(E) \cos^4 \theta + \dots + A_{2L}(E) \cos^{2L} \theta)$$

144 keV \rightarrow $1/2^+$ (isotropic angular distributions, $L=0$)

90 keV \rightarrow $3/2^+$ ($L=1$)

20 keV \rightarrow $5/2^+$ ($L=2$)

20 keV and 144 keV assignments in agreement with literature


90 keV \rightarrow first time assignment

$^{18}\text{O}(p,\alpha)^{15}\text{N}$ (Extracting resonance strength)

Narrow resonances dominating S-factor \rightarrow reaction rate can be calculated by means of the resonance strength

$$(\omega\gamma)_i = \frac{\hat{J}_i}{\hat{J}_p \hat{J}_{^{18}\text{O}}} \frac{\Gamma_{(p^{18}\text{O})_i}(E_{R_i}) \Gamma_{(\alpha^{15}\text{N})_i}(E_{R_i})}{\Gamma_i(E_{R_i})}$$

In the THM approach:


$$(\omega\gamma)_i = \frac{1}{2\pi} \omega_i N_i \frac{\Gamma_{(p^{18}\text{O})_i}}{|M_i|^2}$$

Where:

- $\hat{J}=2J+1$
- $\Gamma_{(AB)}$ is the partial width for the A+B channel
- Γ_i is the total width of the i-th resonance
- E_{Ri} is the resonance energy

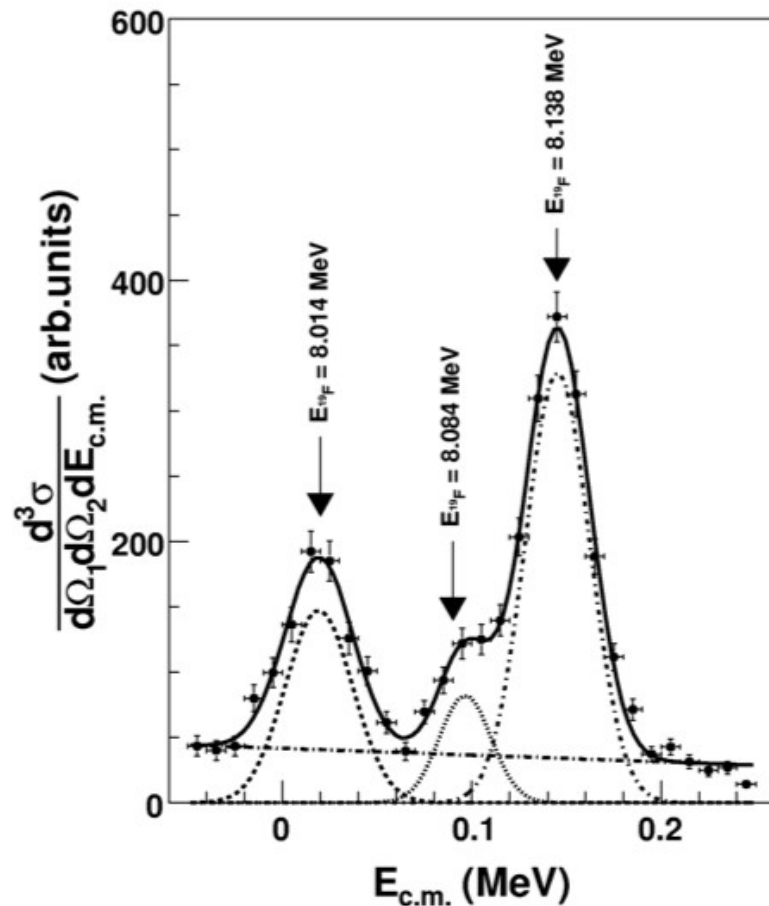
Where:

- $\omega_i = \hat{J}_i / \hat{J}_p \hat{J}_{^{18}\text{O}}$ statistical factor
- N_i = THM resonance strength
- M_i = transfer amplitude

Advantages:

- possibility to measure down to zero energy
- No electron screening
- No spectroscopic factors in the $\Gamma_{(p^{18}\text{O})} / |M_i|^2$ ratio

$^{18}\text{O}(p,\alpha)^{15}\text{N}$ (Extracting resonance strength)



Present case: narrow resonances.

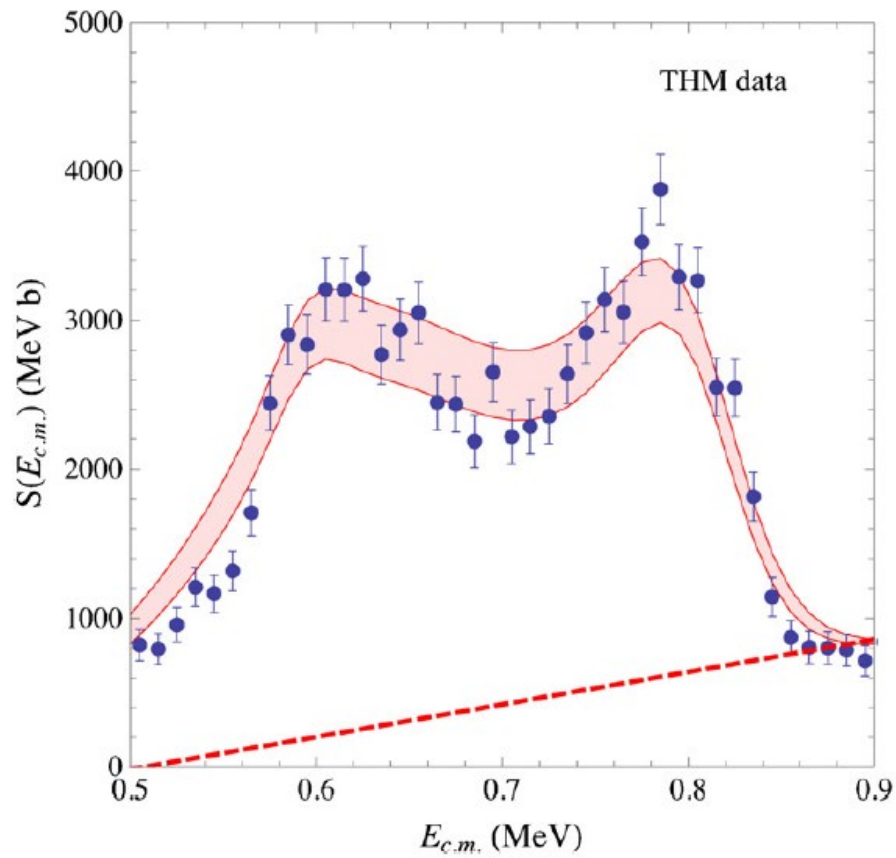
THM data are smoothed out because of 17 keV energy spread

Absolute values are obtained by normalizing to the well known resonance at 144 keV

$$(\omega\gamma)_i = \frac{\omega_i}{\omega_3} \frac{\Gamma_{p_i}(E_{R_i})}{|M_i(E_{R_i})|^2} \frac{|M_3(E_{R_3})|^2}{\Gamma_{p_3}(E_{R_3})} \frac{N_i}{N_3} (\omega\gamma)_3$$

$\omega\gamma$ (eV)	Present work	NACRE
20 keV	$(8.3^{+3.8}_{-2.6}) \cdot 10^{-19}$	$(6^{+17}_{-5}) \cdot 10^{-19}$
90 keV	$(1.8 \pm 0.3) \cdot 10^{-7}$	$(1.6 \pm 0.5) \cdot 10^{-7}$

$^{18}\text{O}(p,\alpha)^{15}\text{N}$



Modified R -matrix fitting (red band) of the THM $S(E)$ factor (blue points).

The fitting parameters have been determined by simultaneously fitting the Lorentz-Wirzba et al. (1979) and THM data (present work)

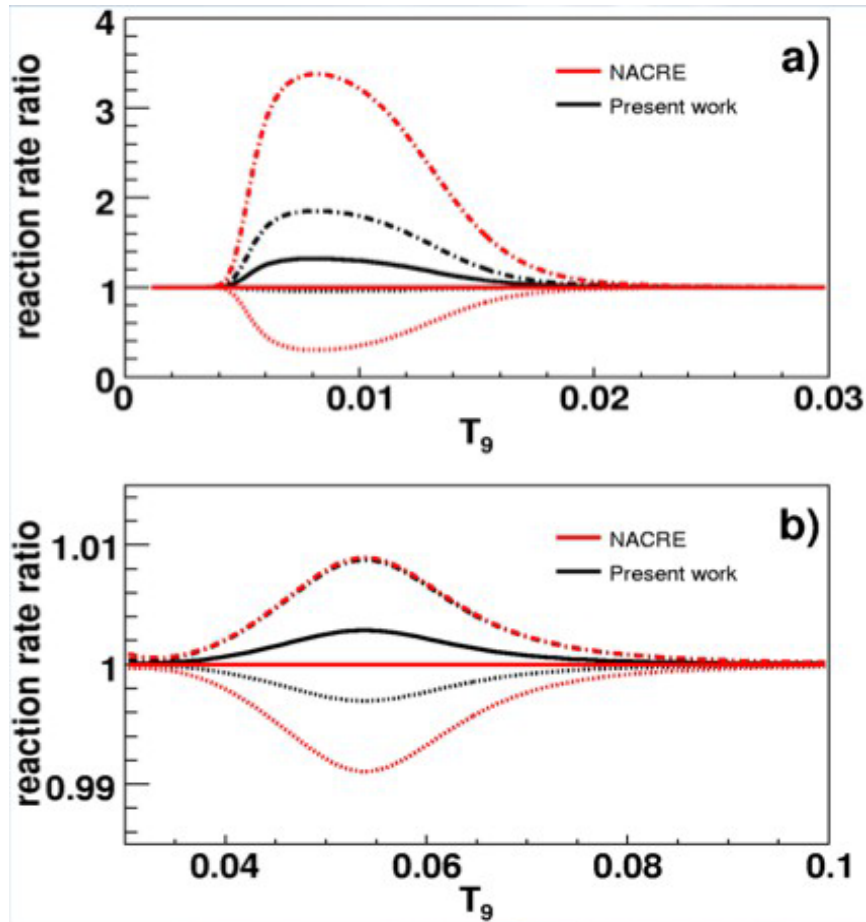
(energy resolution taken into account by convoluting the fit with the 17 keV energy resolution)

660 keV and 799 keV Resonance Parameters from the Simultaneous Fitting of Lorentz-Wirzba et al. (1979) and THM data

	E_R (keV)	Γ_p (keV)	Γ_α (keV)	Γ_{tot} (keV)
1	609 ± 2	11.1 ± 1.1	188 ± 3	199 ± 3
2	812.5 ± 1.5	27 ± 10	40^{+5}_{-13}	67^{+11}_{-16}

$E_R \sim 50$ keV smaller than literature

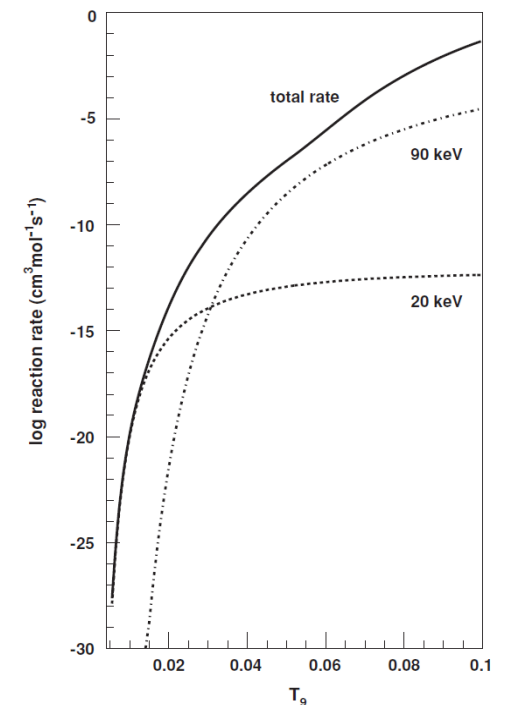
Width error 50% \rightarrow 1.5%



The contribution to the reaction rate of each resonance is given by:

$$N_A \langle \sigma v \rangle_R = 1.5394 \times 10^{11} A^{-3/2} (\omega \gamma) T_9^{-3/2} \exp(-11.605 E_r / T_9)$$

If $T_9 < 0.03$ (fig a) the RR can be about 35% larger than the one given by NACRE, while indetermination is greatly reduced (a factor 8.5)



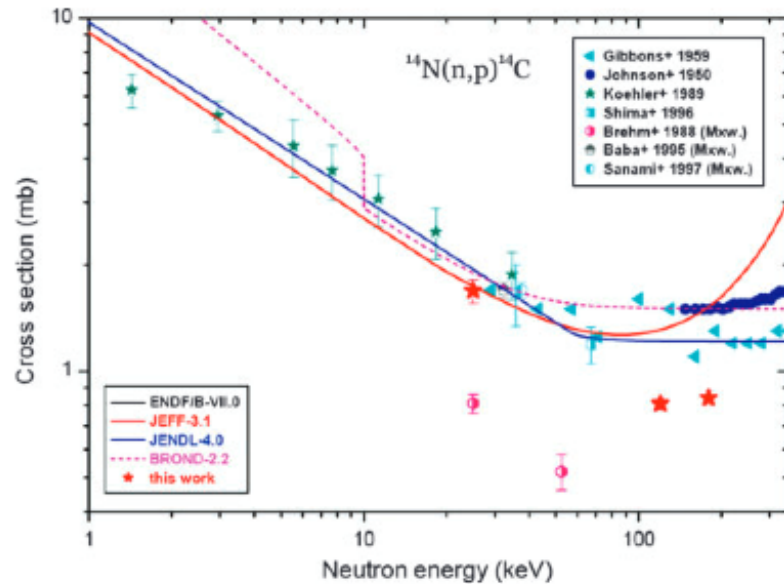


(credits to M.L. Sergi)



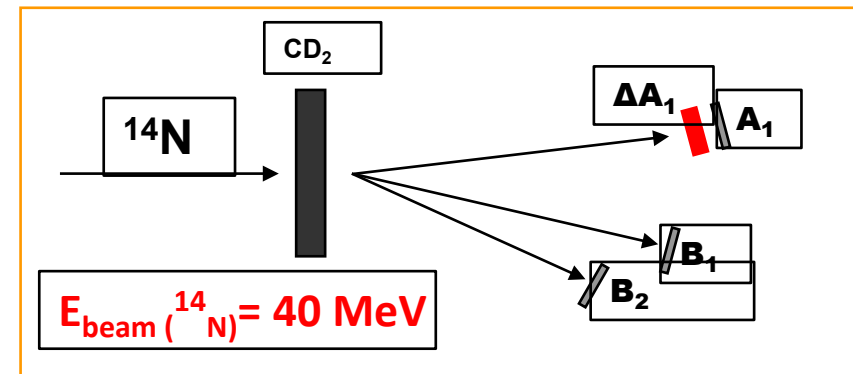
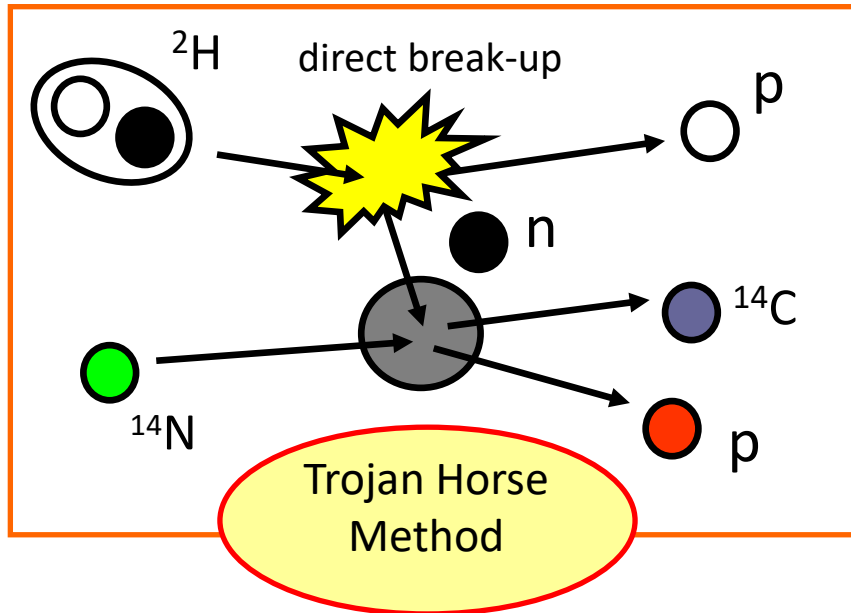
(credits to M.L. Sergi)

Wallner et al., Astronomical Society of Australia, (2012), 29, 115

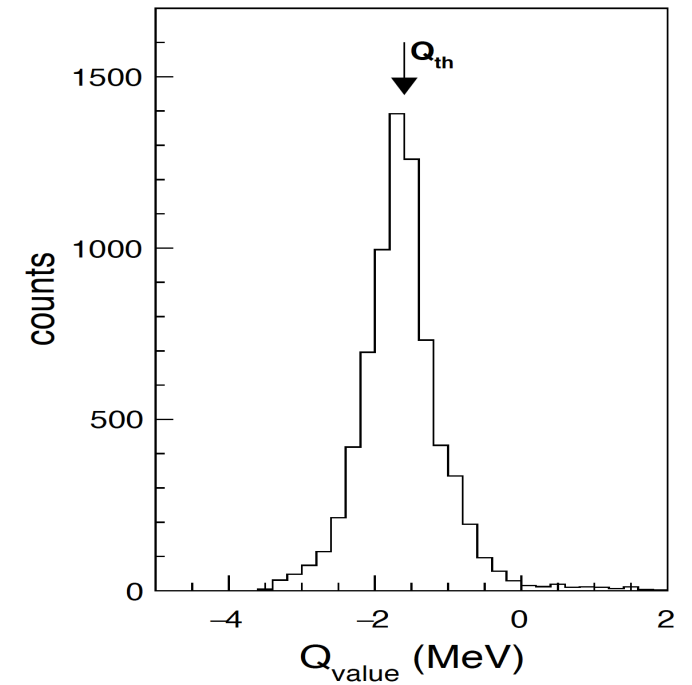
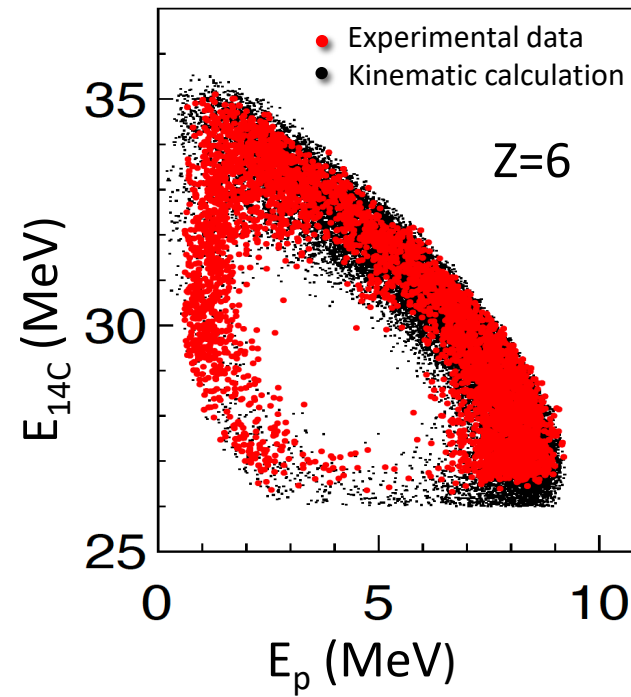
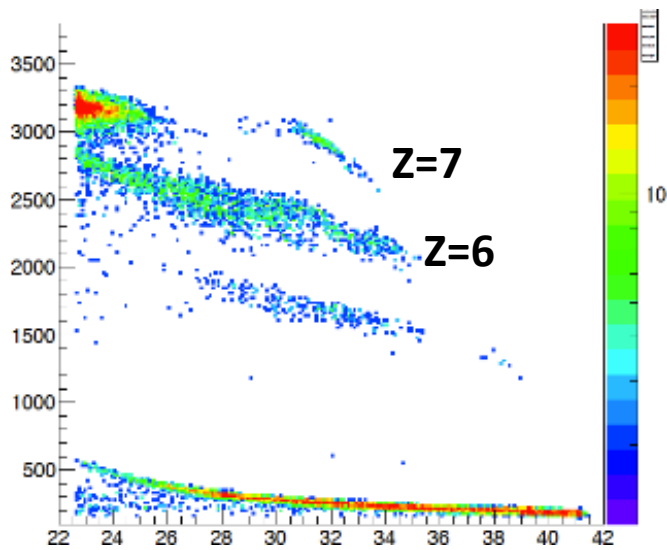


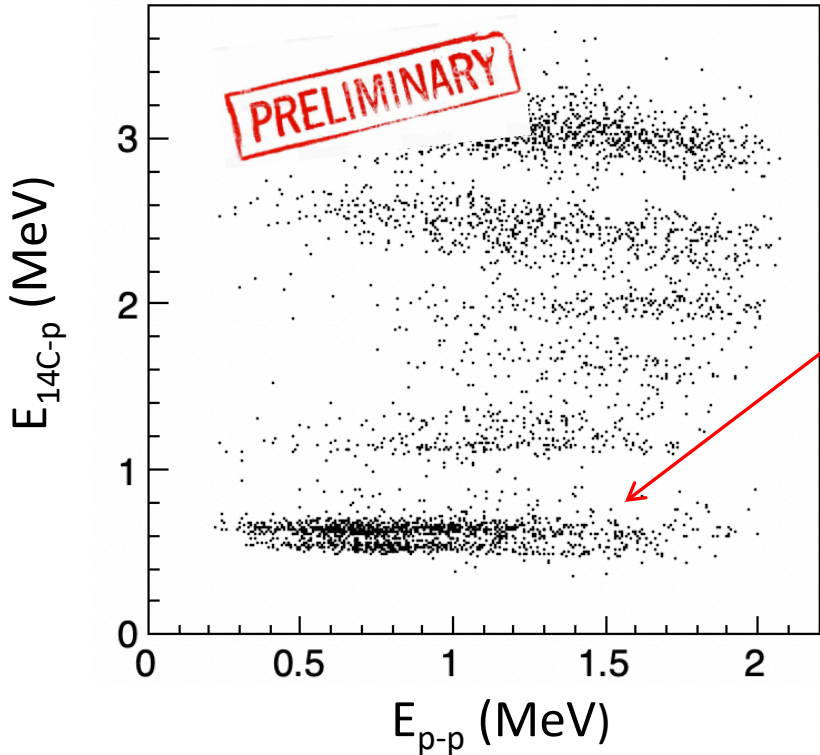
He-burning shell in AGBs: primary site for F synthesis
 $^{14}\text{N}(\alpha,\gamma)^{18}\text{F}(\beta^+)^{18}\text{O}(p,\alpha)^{15}\text{N}(\alpha,\gamma)^{19}\text{F}$

→ protons captured by ^{18}O are mostly coming from
 $^{14}\text{N}(n,p)^{14}\text{C}$ reaction



Detectors	Thickness [μm]	θ [deg]	r [cm]	$\Delta\theta$ [deg]
A_1 (STRIP)	500	5.0 ± 0.1	80	± 1.8
ΔA_1 (STRIP)	20	5.0 ± 0.1	80	± 1.8
B_1 (STRIP)	1000	25.0 ± 0.1	25	± 5.7
B_2 (PSD)	500	40.0 ± 0.1	25	± 5.7

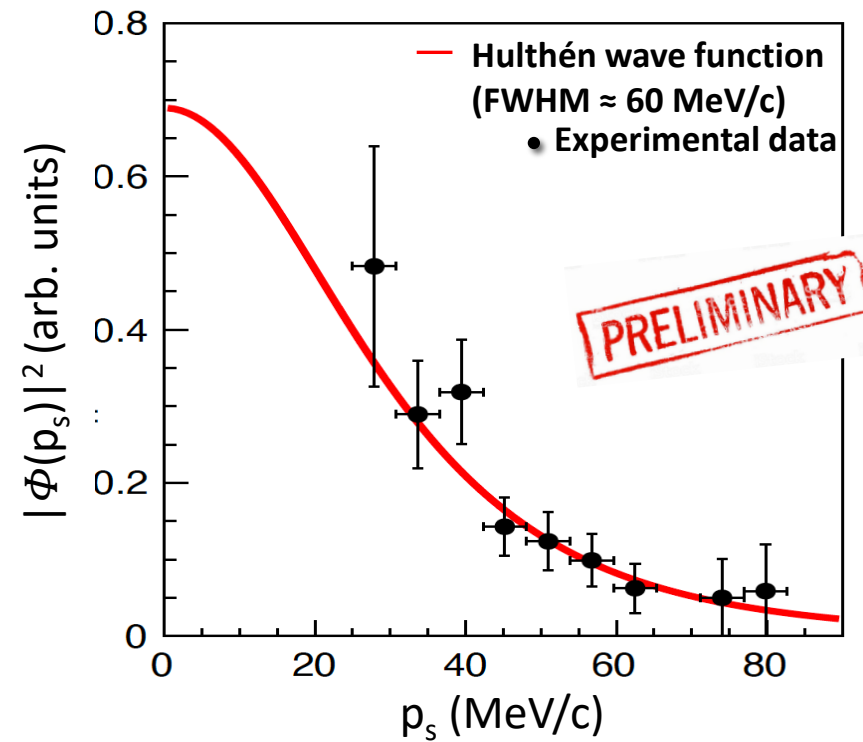
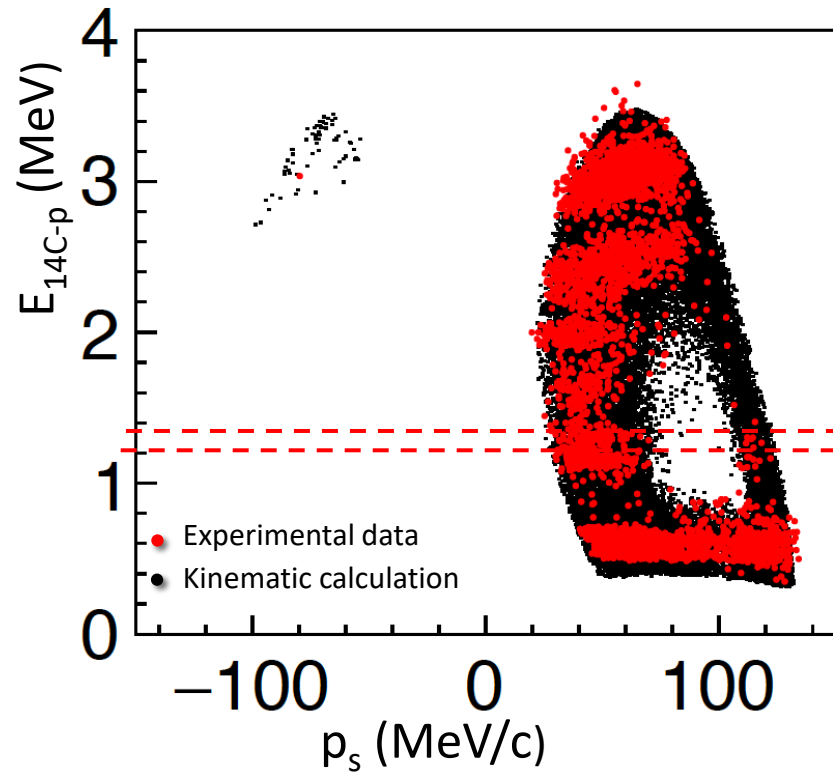




subthreshold
levels

E_{14C-p} (MeV)		
	9.9250 ± 0.2	$\frac{3}{2}^{+}$
	10.0660 ± 0.2^c	$\frac{3}{2}^{+}$
0.411 MeV	10.4497 ± 0.3	$\frac{5}{2}^{-}$
0.495 MeV	10.5333 ± 0.5	$\frac{5}{2}^{+}$
	10.6932 ± 0.3	$\frac{9}{2}^{+}$
0.553 MeV	10.7019 ± 0.3	$\frac{3}{2}^{-}$
0.655 MeV	10.804 ± 2	$\frac{3}{2}^{+}$
1.028 MeV	11.235 ± 5^b	$\geq \frac{3}{2}$
1.086 MeV	11.2928 ± 0.7	$\frac{1}{2}^{-}$
1.231 MeV	11.4376 ± 0.7	$\frac{1}{2}^{+}$
1.408 MeV	11.615 ± 4	$\frac{1}{2}^{+}; T = \frac{3}{2}$
1.556 MeV	11.763 ± 3	$\frac{3}{2}^{+}$
	11.876 ± 3	$\frac{3}{2}^{-}$
.	11.942 ± 6	$\frac{9}{2}^{-}$
	11.965 ± 3	$\frac{1}{2}^{-}$
.	12.095 ± 3	$\frac{5}{2}^{+}$
	12.145 ± 3	$\frac{3}{2}^{-}$
.	12.327 ± 4	$\frac{5}{2}^{+}$
	12.493 ± 4	$\frac{5}{2}^{+}; \frac{1}{2}^{-}$
.	12.522 ± 8	$\frac{5}{2}^{+}; \frac{3}{2}^{-}$
	12.551 ± 10	$\frac{9}{2}^{+}$
.	12.920 ± 4	$\frac{3}{2}^{-}$
	12.940 ± 10	$\frac{5}{2}^{+}$
.	13.004 ± 10	$\frac{11}{2}^{-}$
	13.149 ± 10	
.	13.174 ± 7	$(\frac{9}{2})$
3.155 MeV	13.362 ± 8	$\frac{3}{2}^{-}$
	13.390 ± 10	$\frac{3}{2}^{+}$

The clear horizontal loci in E_{14C-p} represent an evidence for the formation of the ^{15}N excited states.



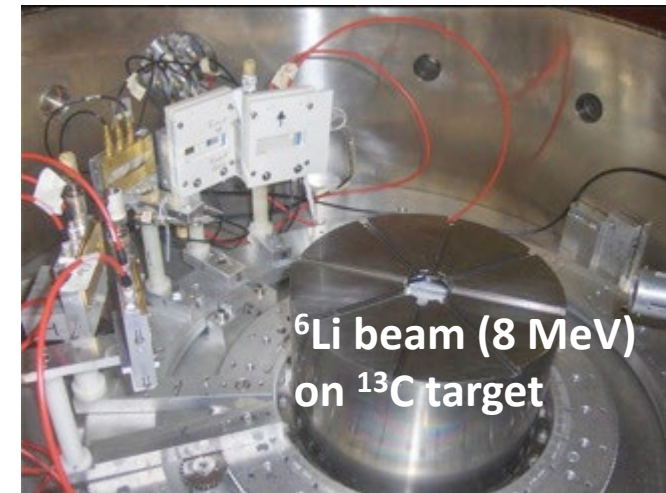
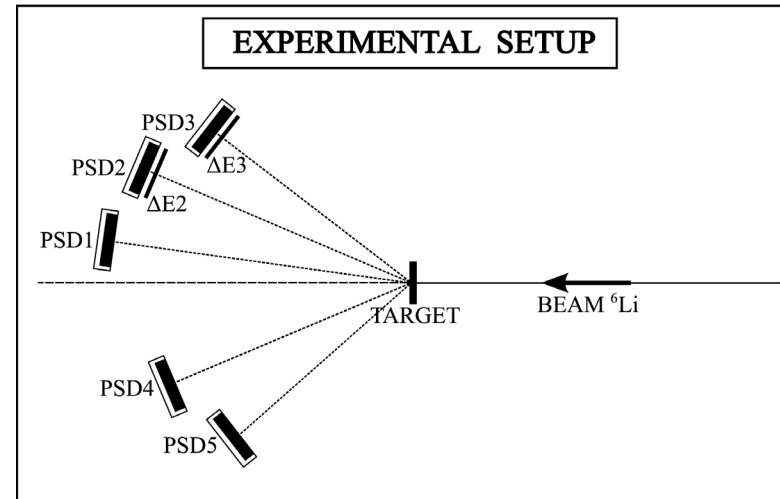
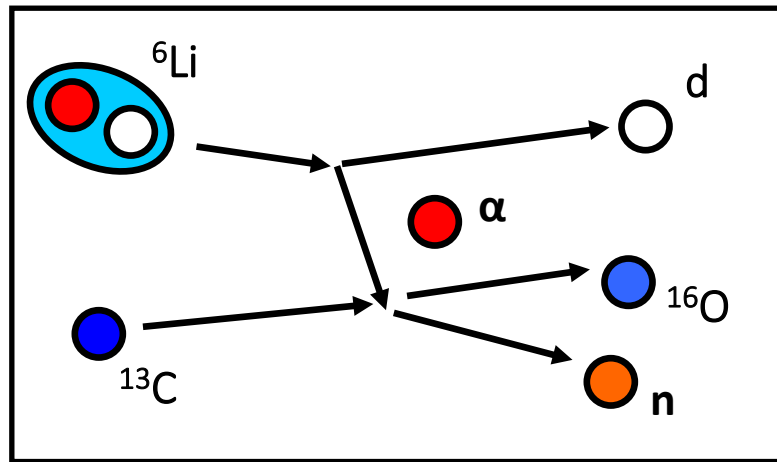
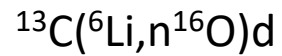
Data analysis ongoing (near the end)



(credits to M. La Cognata)



(credits to M. La Cognata)



d detection in PSD 1-2-3 → No need for neutron detectors
d is emitted at 0° → QF peak cannot be accessed in the experiment

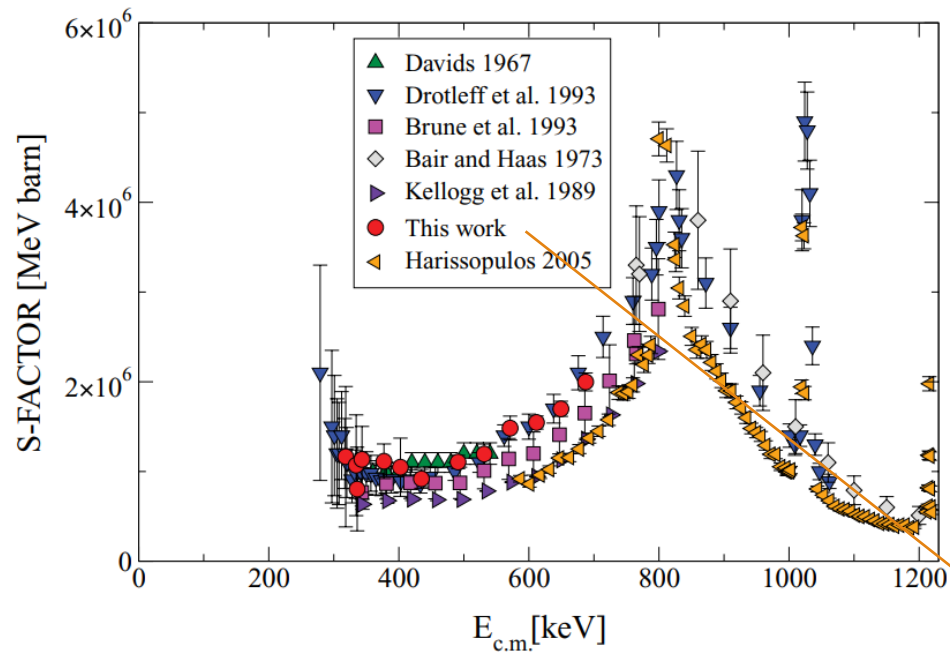


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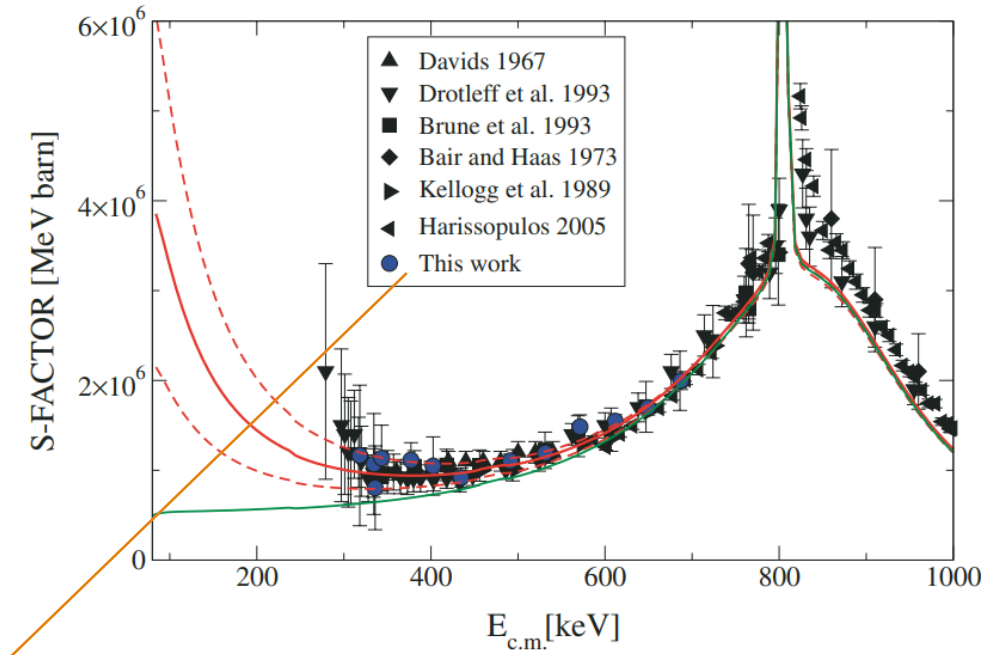


Heil scaling

Direct Data from literature



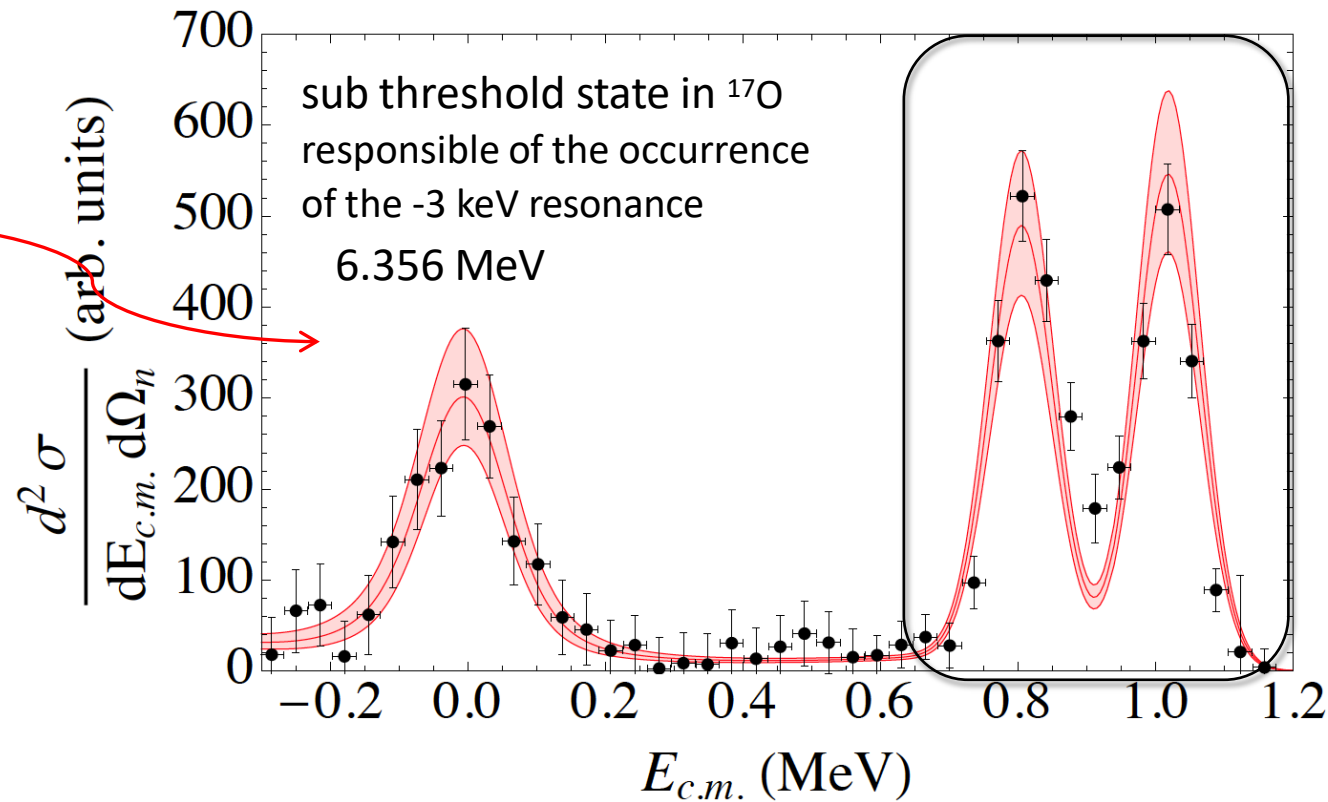
Direct Data scaled to the Heil data (global R-matrix fit)



[Heil+,PRC2008]

$^{13}\text{C}(\alpha, n)^{16}\text{O}$ Normalization to “Heil scaled data”

Fitted HOES cross section:
2 parameters, the reduced n-
and α - widths.
Channel radii fixed at the Heil
et al. ones [5.2 and 4 fm for
the α - and n- channels]



With this normlization TH data give ANC not in agreement with literature!



ANC measurements

Table 1

Summary of Widths and ANC Values for the $1/2^+$ State of ^{17}O Close to the $^{13}\text{C} - \alpha$ Threshold Reported in the Literature

Reference	Γ_n (keV)	ANC (fm^{-1})
Fowler et al. (1973)	124	...
Tilley et al. (1993)	124 ± 12	...
Sayer (2000)	162.37	...
Johnson et al. (2006)	124 ± 12	0.89 ± 0.23
Pellegriti et al. (2008)	124 ± 8	4.5 ± 2.2
Heil et al. (2008)	158.1	...
La Cognata et al. (2012)	83^{+9}_{-12}	$6.7^{+0.9}_{-0.6}$
Guo et al. (2012)	124	4.0 ± 1.1
La Cognata et al. (2013)	$107 \pm 5_{\text{stat}}^{+9}_{-5 \text{ norm}}$	$7.7 \pm 0.3_{\text{stat}}^{+1.6}_{-1.5 \text{ norm}}$
Faestermann et al. (2015) ^a	136 ± 5	...
Avila et al. (2015)	...	3.6 ± 0.7

FINDING THE CONCORDANCE SCENARIO

The ANC for the 6.356 MeV state is deduced from the fitting of the angular distribution of the sub-Coulomb alpha transfer off ^6Li to ^{13}C .

Agreement for ANC and not for $S(E)$ → instead of normalize to the 2 resonances at higher energies, we normalize to the ANC of the 4.7 keV resonance (ex -3 keV res.), $\Gamma_n = 136 \pm 5$ keV in Faestermann et al. (2015),

ANC value (observable) of $3.6 \pm 0.7 \text{ fm}^{-1}$ of Avila et al. (2015)

Using these values for the 1st resonance, we see what happens to the other two resonances in the many data sets.

ANC-resonances parameters (bound and unbound states) in [Mukhamedzhanov&Tribble,PRC1999]

$^{13}\text{C}(\alpha, n)^{16}\text{O}$

TO SINGLE OUT THE “CORRECT DATA SETS TO NORMALIZE TO”

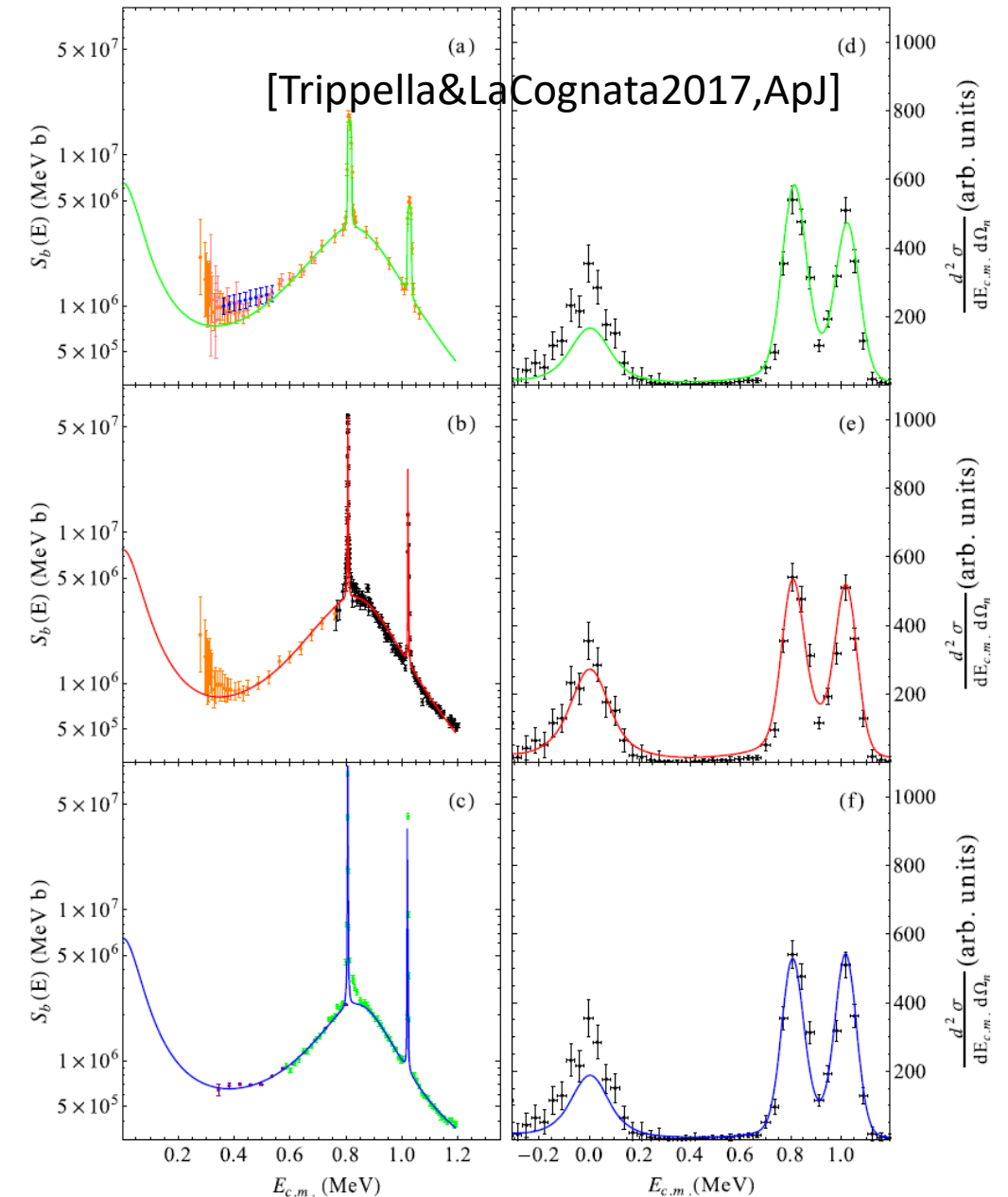
- (a) blue (Davids 1968), orange (Drotleff et al. 1993), and pink (Heil et al. 2008) symbols;
- (b) black (Bair & Haas 1973) and orange (Drotleff et al. 1993) for the low-energy region ($E_{c.m.} < 0.75$ MeV);
- (c) purple (Kellogg et al. 1989) and green (Harissopulos et al. 2005)

Left panel: direct data sets when fixing ANC of the 1° res. to Avila et al. (2015) with corresponding R-matrix

*Right panels: HOES R-matrix fit of the THM data presented in La Cognata et al. (2013) (solid black symbols) adopting **the same resonance parameters** used in the corresponding left panel (color of the curves is the same for OES-HOES calculation).*

→ Best χ^2 for THM normalization: panels (b) and (e)

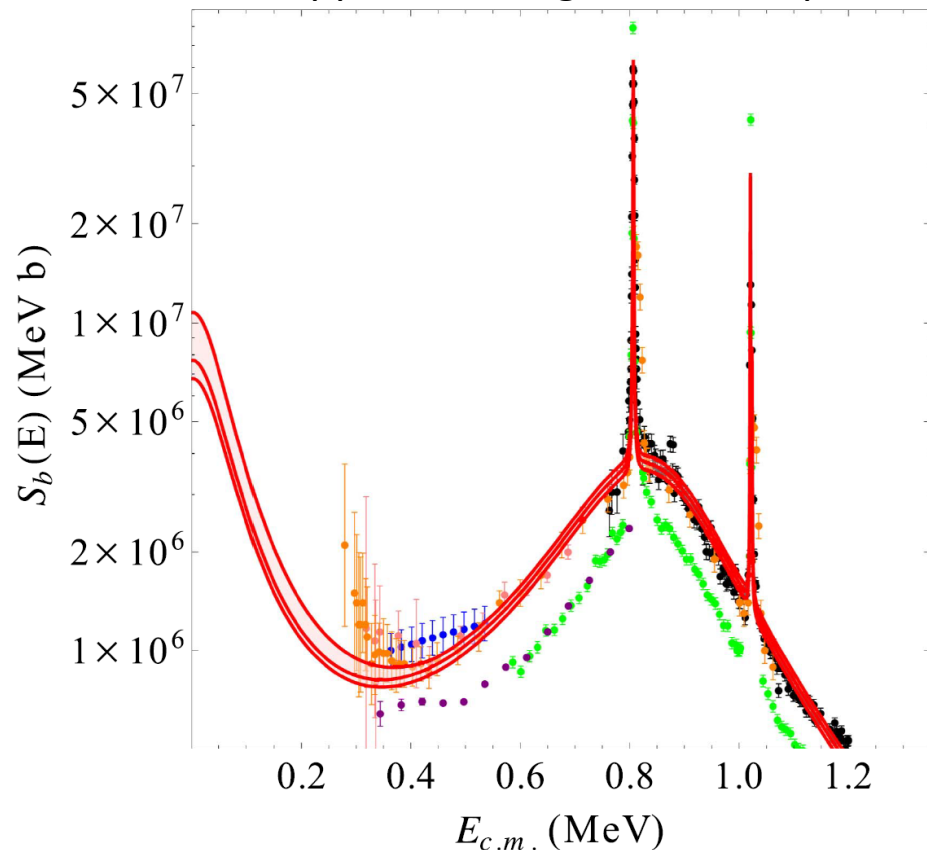
This means that (b) direct data sets are consistent with ANC weighted mean and so are good for TH normalization.



$^{13}\text{C}(\alpha, n)^{16}\text{O}$

The results

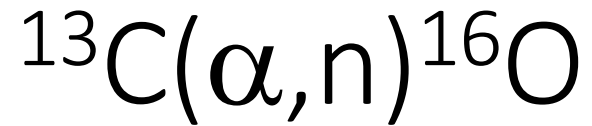
[Trippella&LaCognata2017,ApJ]



R-matrix astrophysical factor (central red curve) calculated adopting the resonance parameters used in panels (b) and (e).

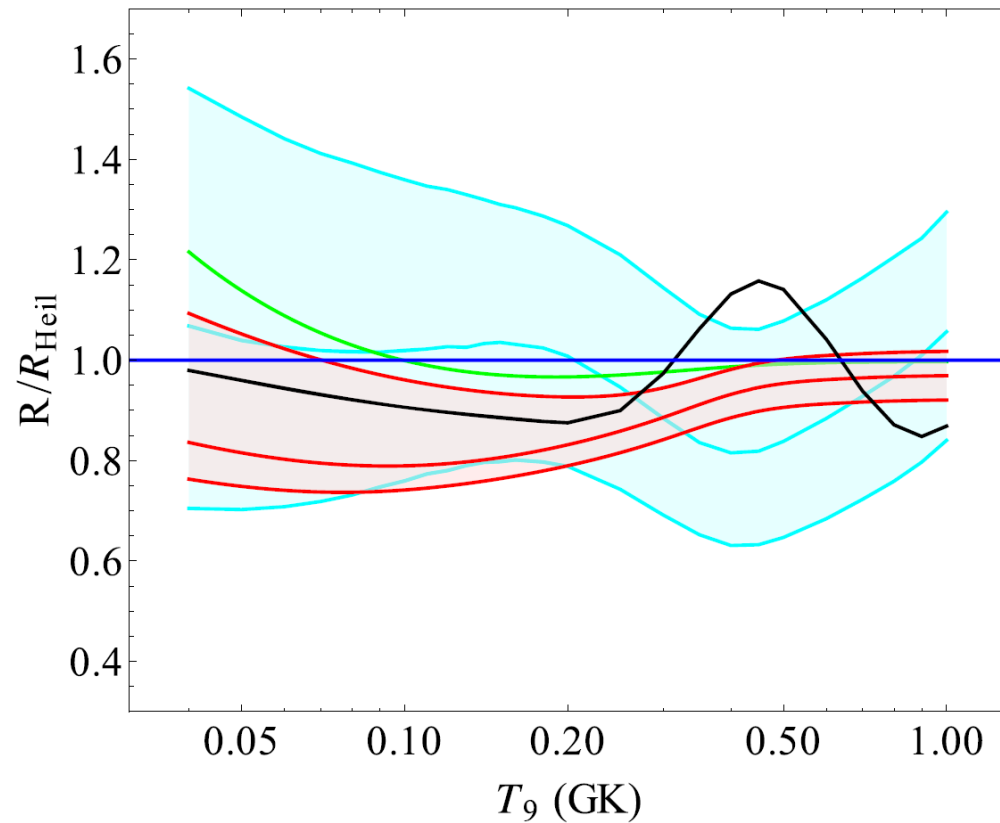
Direct data (without assuming any normalization):

Davids (1968)	blue
Bair & Haas (1973)	black
Kellogg et al. (1989)	purple
Drotleff et al. (1993)	orange
Harissopulos et al. (2005)	green
Heil et al. (2008)	pink



The results

[Trippella&LaCognata2017,ApJ]



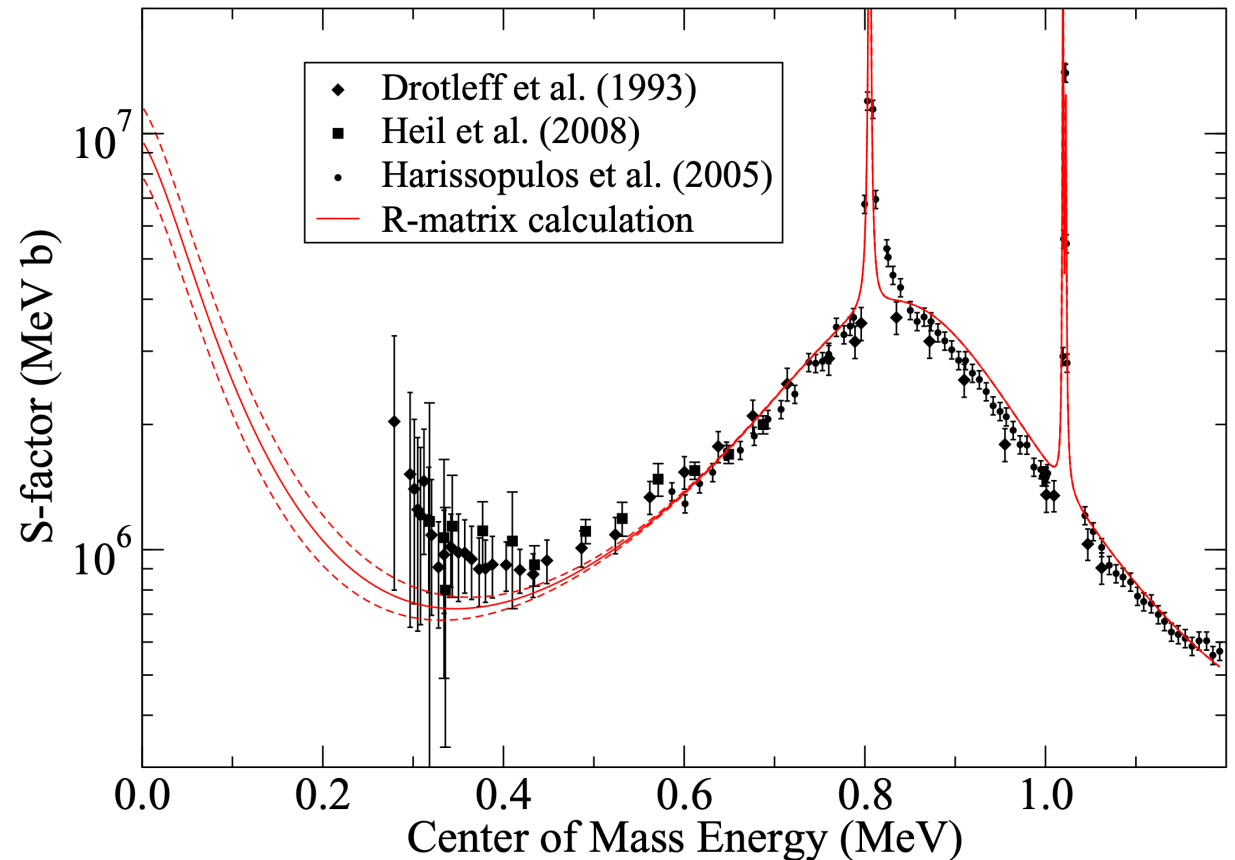
Red band
Green curve
Black curve
Cyan band

RR by Trippella&LaCognata 2017
RR by La Cognata et al. (2013)
RR by Drotleff et al. (1993)
NACRE II (Xu et al. 2013)

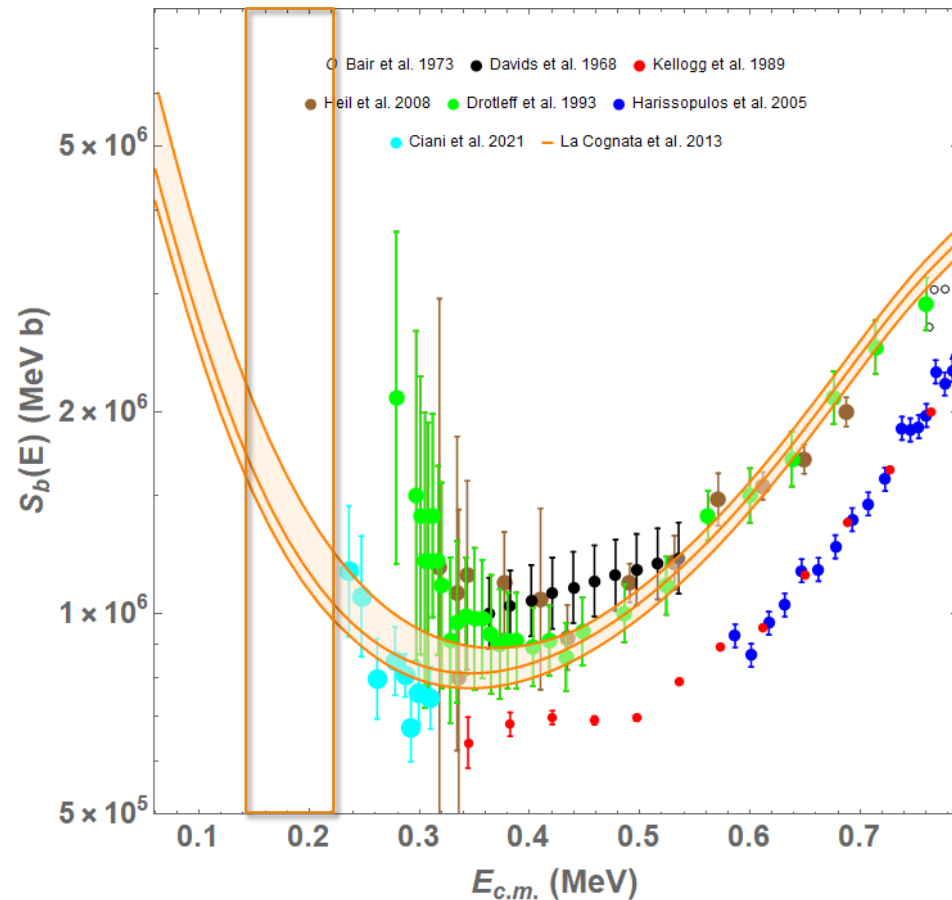
$^{13}\text{C}(\alpha, n)^{16}\text{O}$ -Comparison with DeBoer+2020

Unfortunately, comparison is carried out with the outdated La Cognata et al 2013 results

If the comparison is done with Trippella & La Cognata 2017, good agreement is found (which is to be expected as the ANC from Avila et al is considered in the R-matrix analysis)



$^{13}\text{C}(\alpha,n)^{16}\text{O}$ -Comparison with Ciani+ 2021



ORANGE: THM [Trippella&LaCognata2017,ApJ]

CYAN: experimental data measured underground LUNA Collaboration [Ciani+,PRL2021]

highlighted box = Gamow window = 150-230 keV

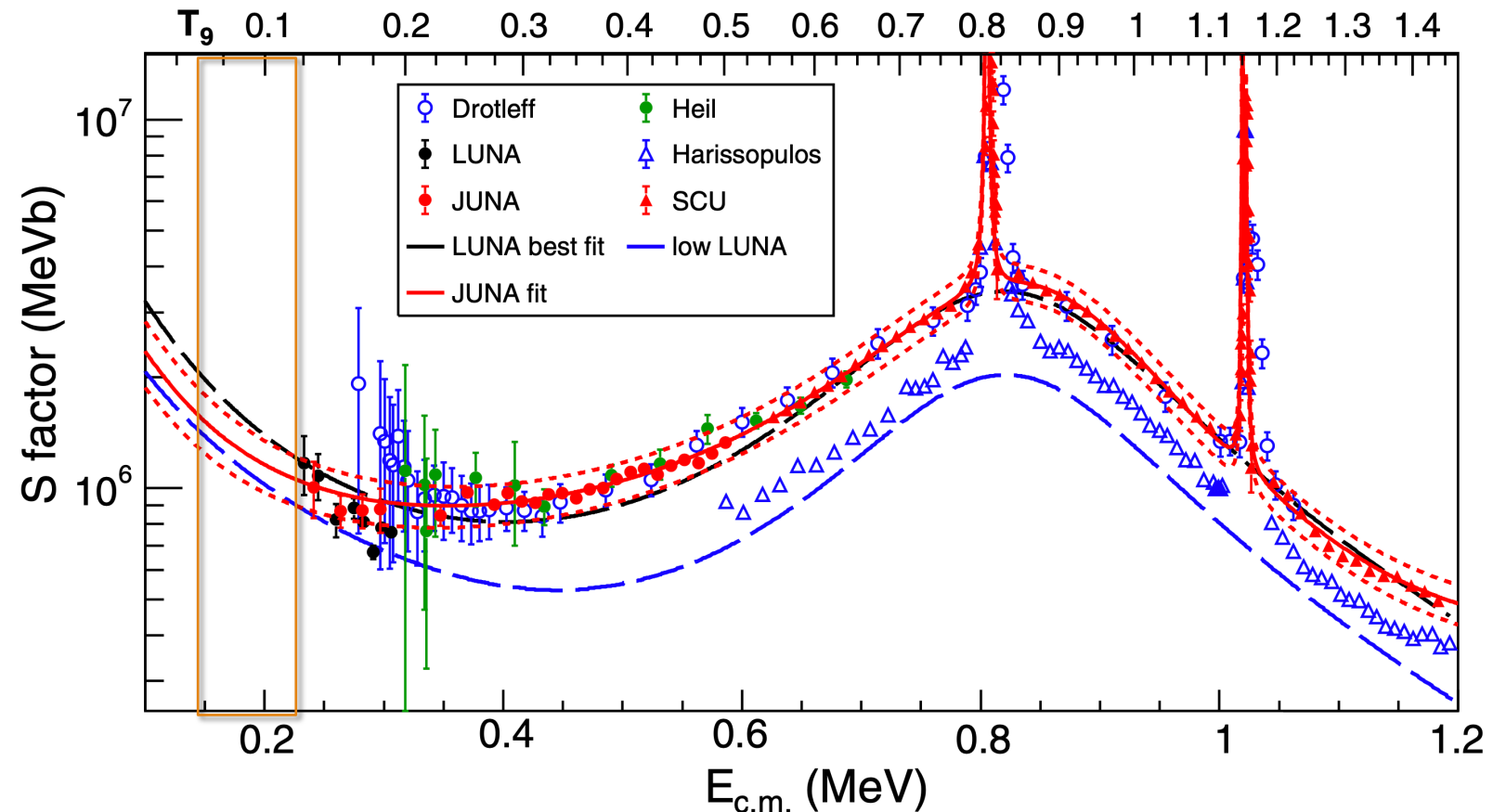
*The high accuracy direct measurement by Ciani et al. (2021) confirms the THM+ANC results obtained in 2017
→ towards a concordance scenario for the $^{13}\text{C}(\alpha,n)^{16}\text{O}$ $S(E)$*

$^{13}\text{C}(\alpha, n)^{16}\text{O}$ -Comparison with Gao+ 2022

Extrapolation to astrophysical energies still needed

Several data sets were not considered in the R-matrix analysis (cherry picking?)

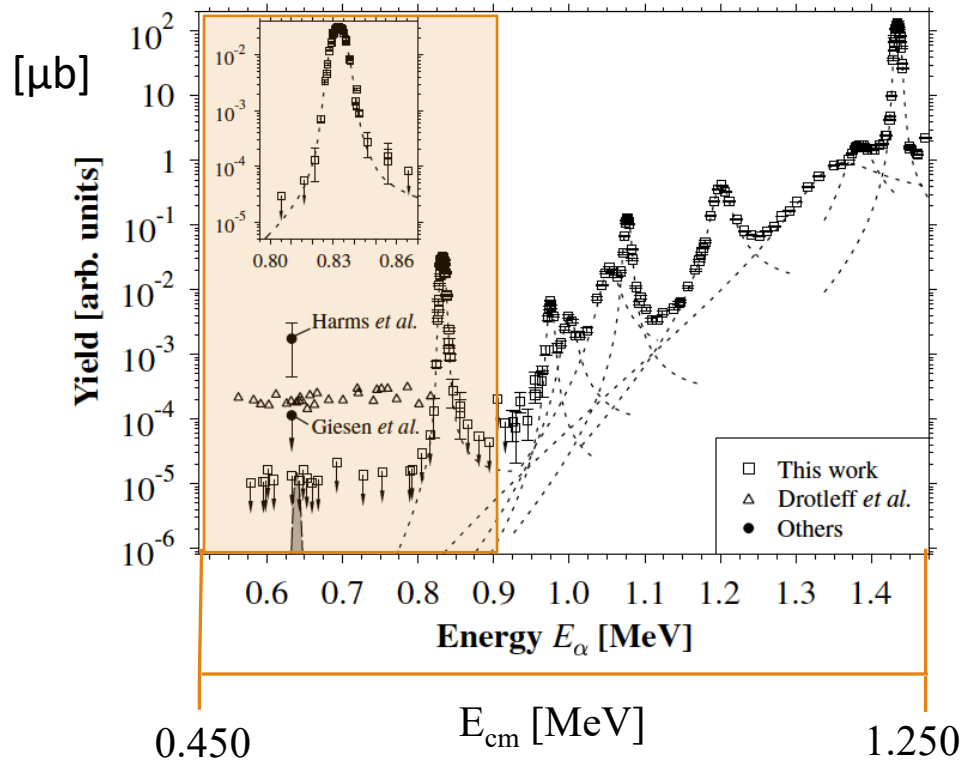
Fail to reproduce the measured ANC of the 6.356 MeV resonance (50% lower)





$^{22}\text{Ne}(\alpha, n)^{25}\text{Mg}$

[Jaeger et al. 2001]



s-process ROI: $E_{\text{cm}} = 600 \pm 300 \text{ keV}$ (CB@3.5 MeV)

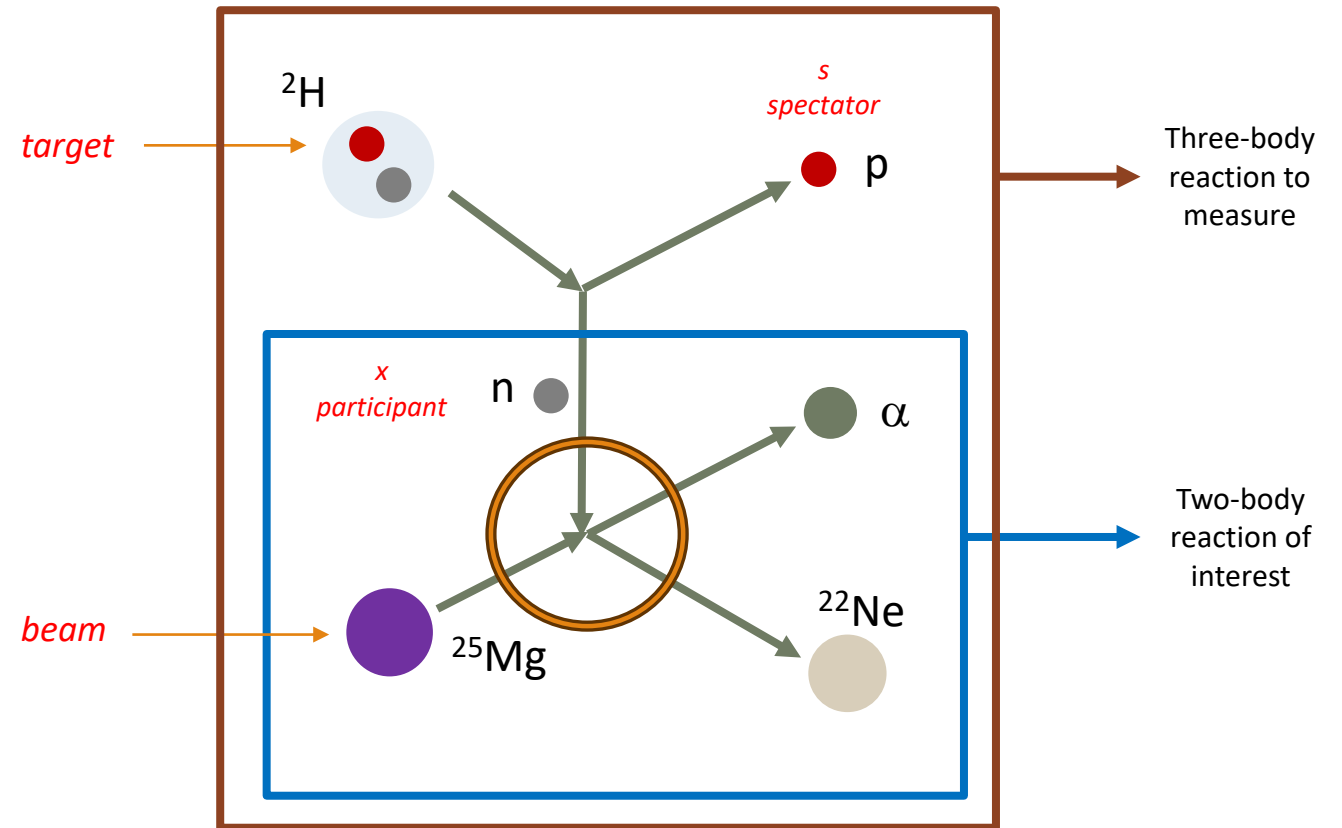
Below 1.2 MeV values are smaller than $1 \mu\text{b}$
→ very difficult to perform direct measurements

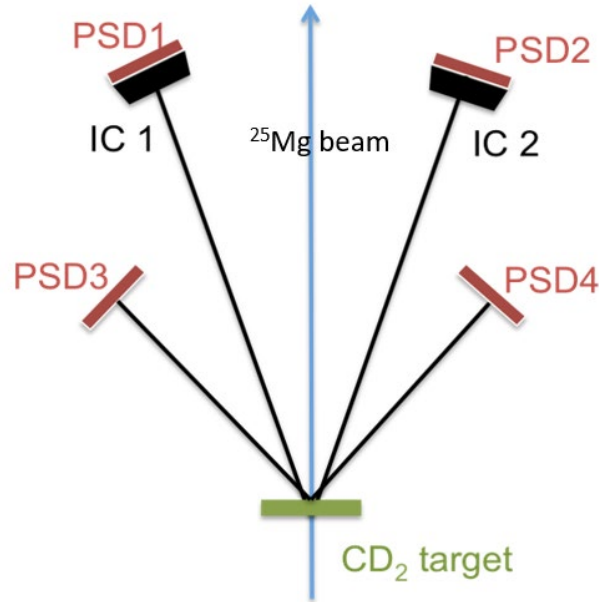
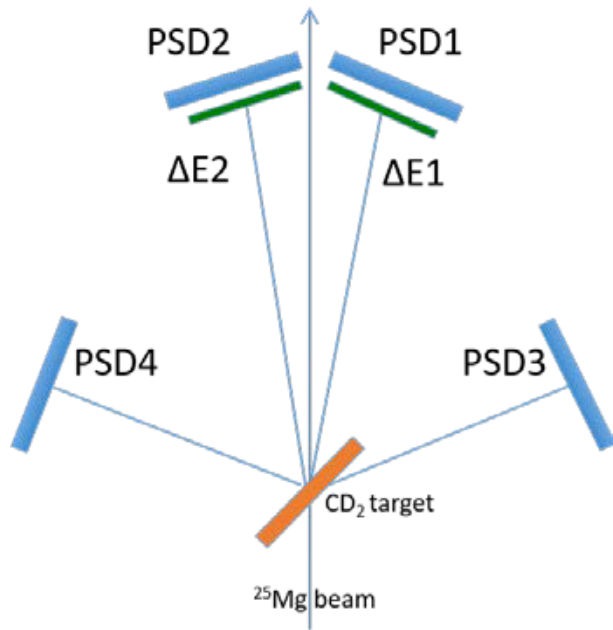
Indirect measurement is needed @low energy
to cover the whole range and solve the discrepancy



$^{25}\text{Mg}(n, \alpha)^{22}\text{Ne}$
+
det. bal. princ.

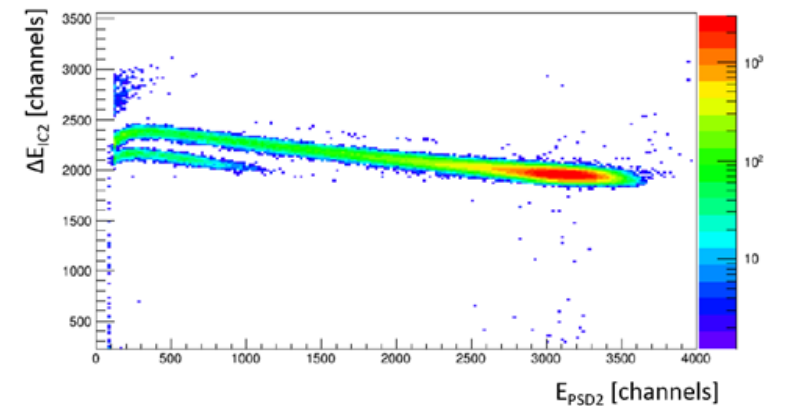
$\rightarrow d(^{25}\text{Mg}, n\alpha)^{22}\text{Ne}$





- 1) α - p coincidences. 35 μm as ΔE stage, but very low $E_{\text{spect-p}} < 1 \text{ MeV} \rightarrow$ threshold to the minimum.
- 2) ^{22}Ne - α coincidence ($\neq E_{\text{beam}}$). 2 IC (5 cm deep, C_4H_{10}) to detect and separate ^{22}Ne .

not worked ? ^{23}Na instead of ^{22}Ne
 $^{26}\text{Mg} = ^{22}\text{Ne} + \alpha$ ($l=0$) ?



Conclusions

- ❑ THM (& ANC) are valid tools to complement the direct measurements results also in the special and crucial context of He-burning.
- ❑ Indirect methods can help in approaching a concordance scenario.
- ❑ $^{22}\text{Ne}(\alpha, n)^{25}\text{Mg}$ future TH&direct measurements will be crucial for s-process understanding (TH nuclei tests + α solid targets)

Thanks for your attention