

Observing upper-stellar-mass gap with LIGO and Virgo

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with

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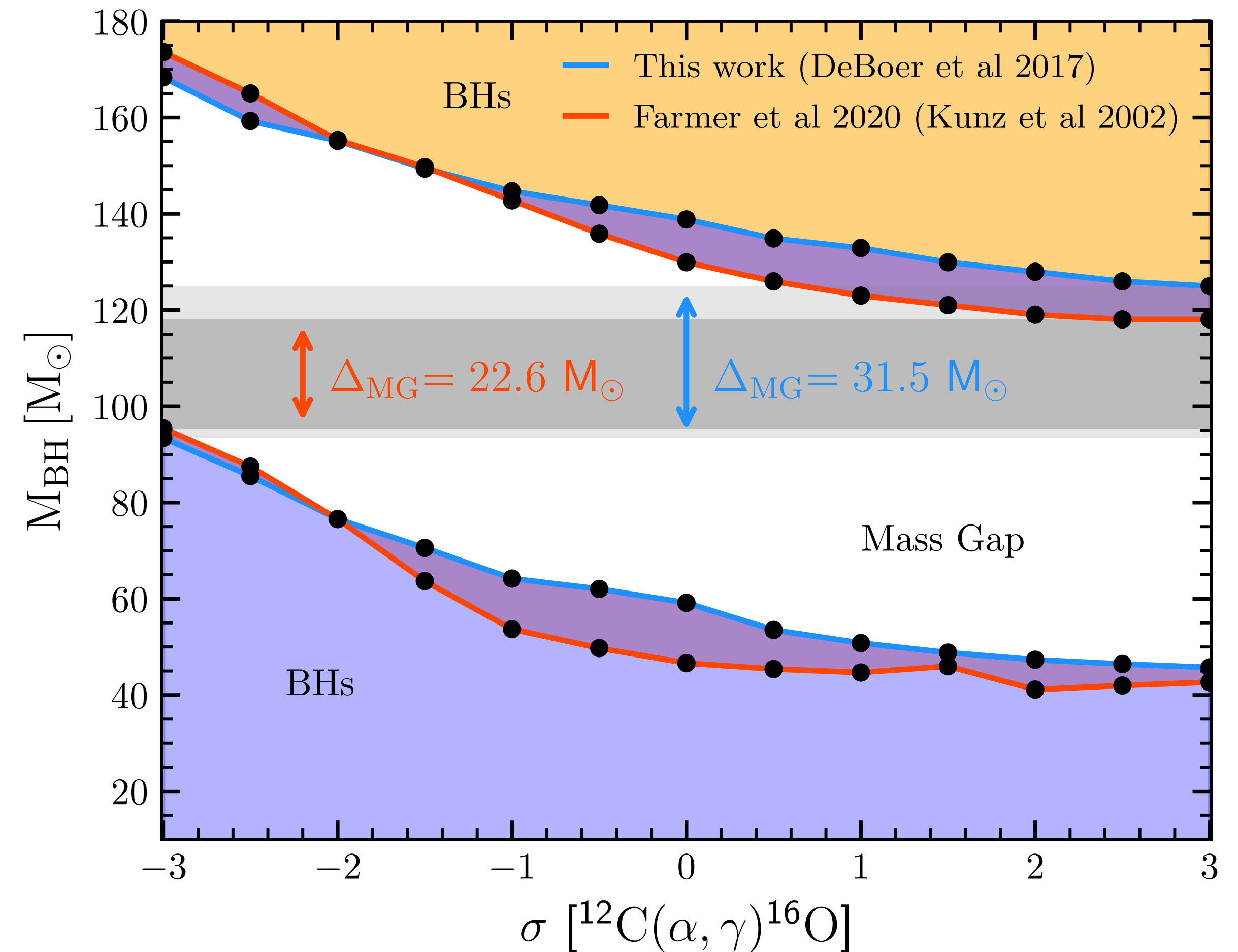
Mehta et al. [2105.06366](#)

Upper-stellar-mass gap ?

- Single stars with masses, $20 M_{\odot} \lesssim M_{\text{ZAMS}} \lesssim 100 M_{\odot}$, end their lives in **core collapse supernovae** and forms **black holes** (BHs).
 - Stars with masses $M_{\text{ZAMS}} \gtrsim 100 M_{\odot} \Rightarrow$ **Electron-positron pair production**
 - ▶ $100 M_{\odot} \lesssim M_{\text{ZAMS}} \lesssim 130 M_{\odot} \Rightarrow$ Pulsational pair-instability supernova (**PPISN**)
 - ▶ $130 M_{\odot} \lesssim M_{\text{ZAMS}} \lesssim 250 M_{\odot} \Rightarrow$ Pair-instability supernova (**PISN**)
 - ↓
Completely destroys the star
 - $M_{\text{ZAMS}} \gtrsim 250 M_{\odot} \Rightarrow$ Photodisintegration \Rightarrow **Core collapse supernovae**
- Mass-gap**

Boundaries of mass-gap ??

- The **final fate** of the stars also depend heavily on $^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$ reaction rate, i.e., C/O ratio in the core after helium burning.
- Depending on C/O ratio, the cores can undergo or skip the carbon burning, and set explosive oxygen burning.
- The plot uses the $^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$ reaction rate provided in **deBoer et. al. (2017)** which considered the entirety of existing experimental data, aggregating 60 year of experimental data consisting of more than 50 independent experimental studies.



$^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$ reaction rate

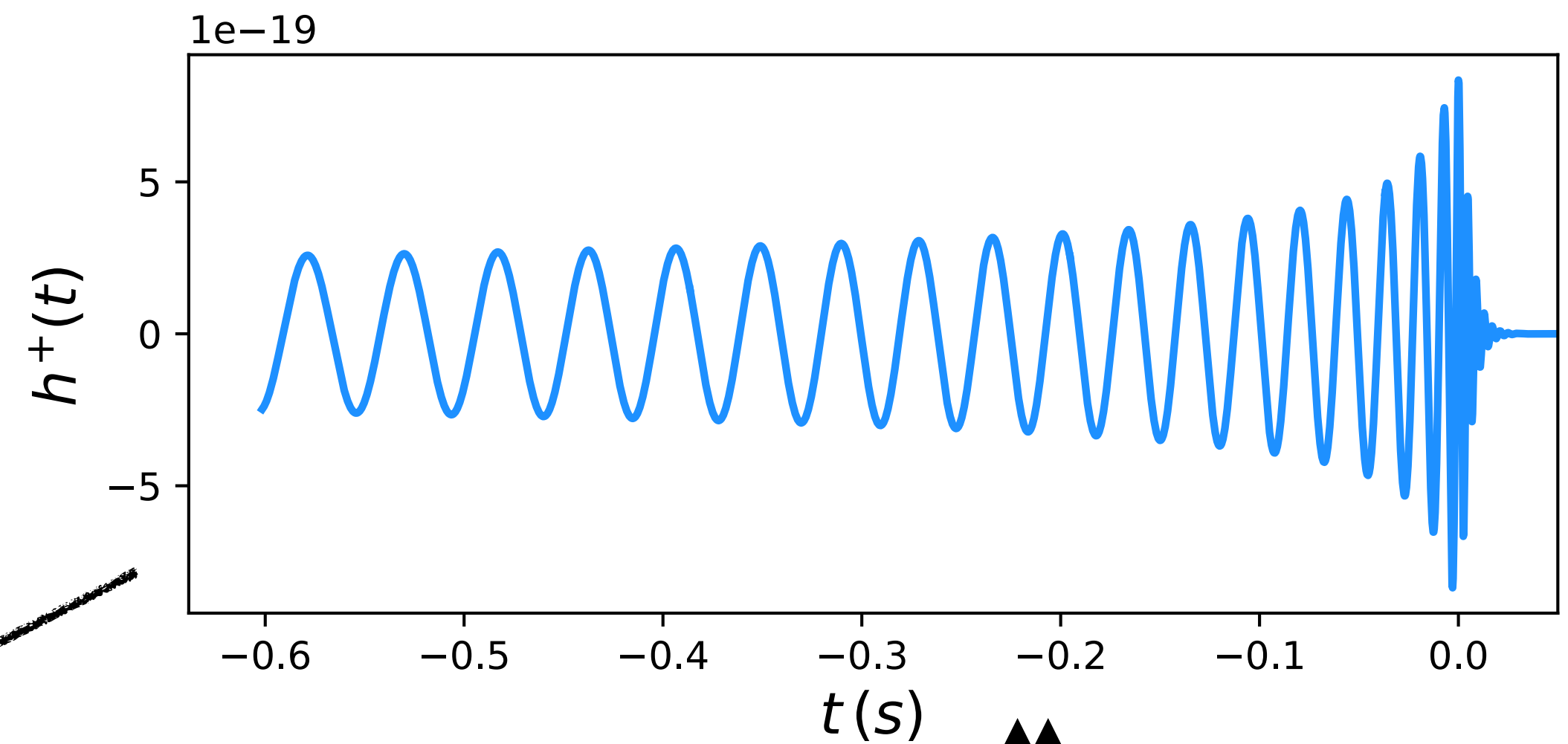
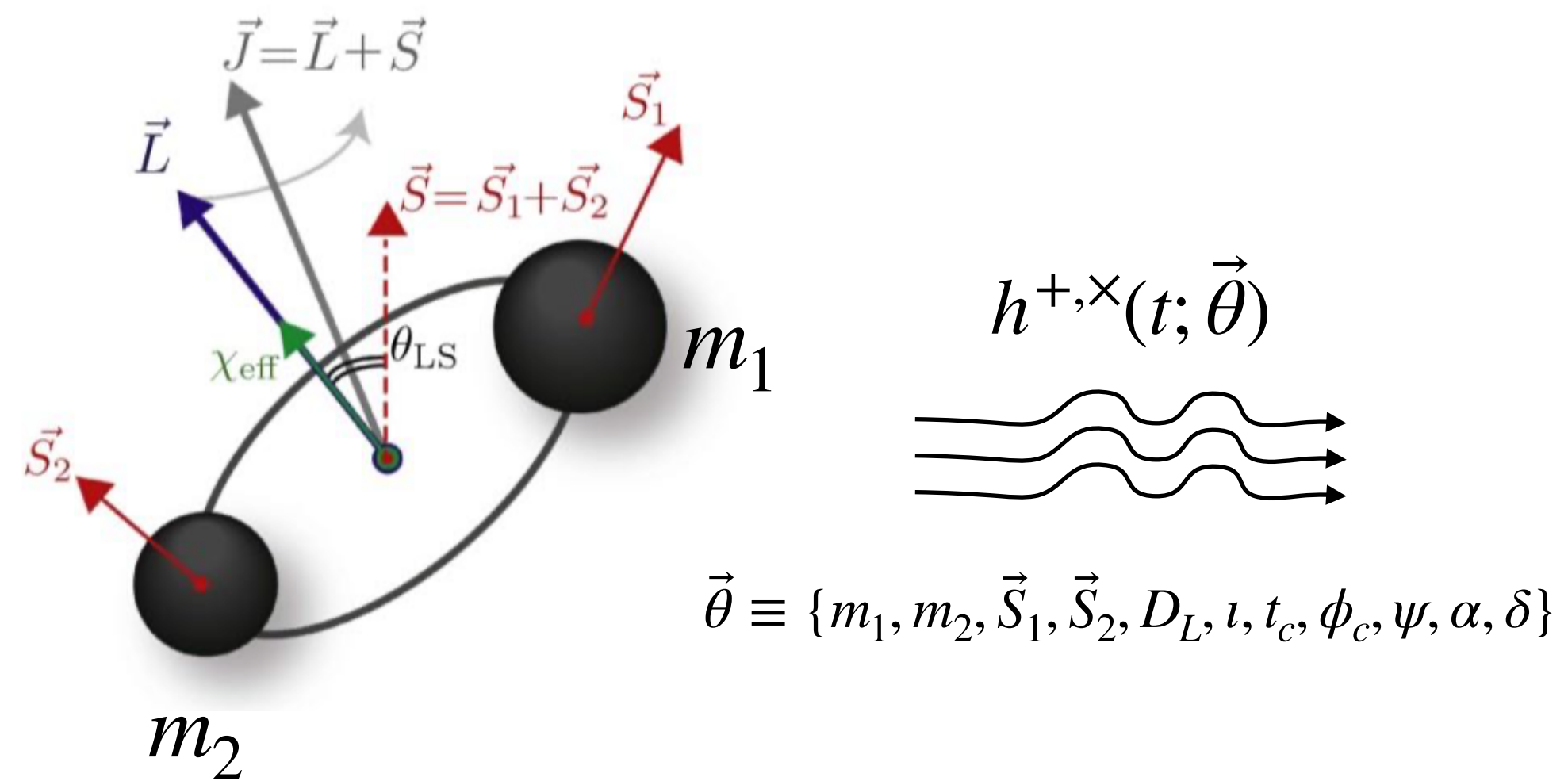
- The reaction rate per particle pair is given by,

$$\begin{aligned}\langle \sigma v \rangle &= \left(\frac{8}{\pi \mu} \right)^{1/2} \frac{1}{(k_{\text{B}} T)^{3/2}} \int_0^\infty \sigma(E) E e^{-E/k_{\text{B}} T} dE \\ &= \left(\frac{8}{\pi \mu} \right)^{1/2} \frac{1}{(k_{\text{B}} T)^{3/2}} \int_0^\infty S(E) e^{-E/k_{\text{B}} T - 2\pi\eta} dE\end{aligned}$$

- Where $S(E) = \sigma(E) E e^{2\pi\eta(E)}$ and, $\eta = \sqrt{\frac{\mu}{2E}} Z_1 Z_2 \frac{e^2}{\hbar}$

From GW, we can measure $M_{BH}^{\text{gap}} \Rightarrow \langle \sigma v \rangle \Rightarrow S(E)|_{E=E_0}$

Observations of GWs from BBHs



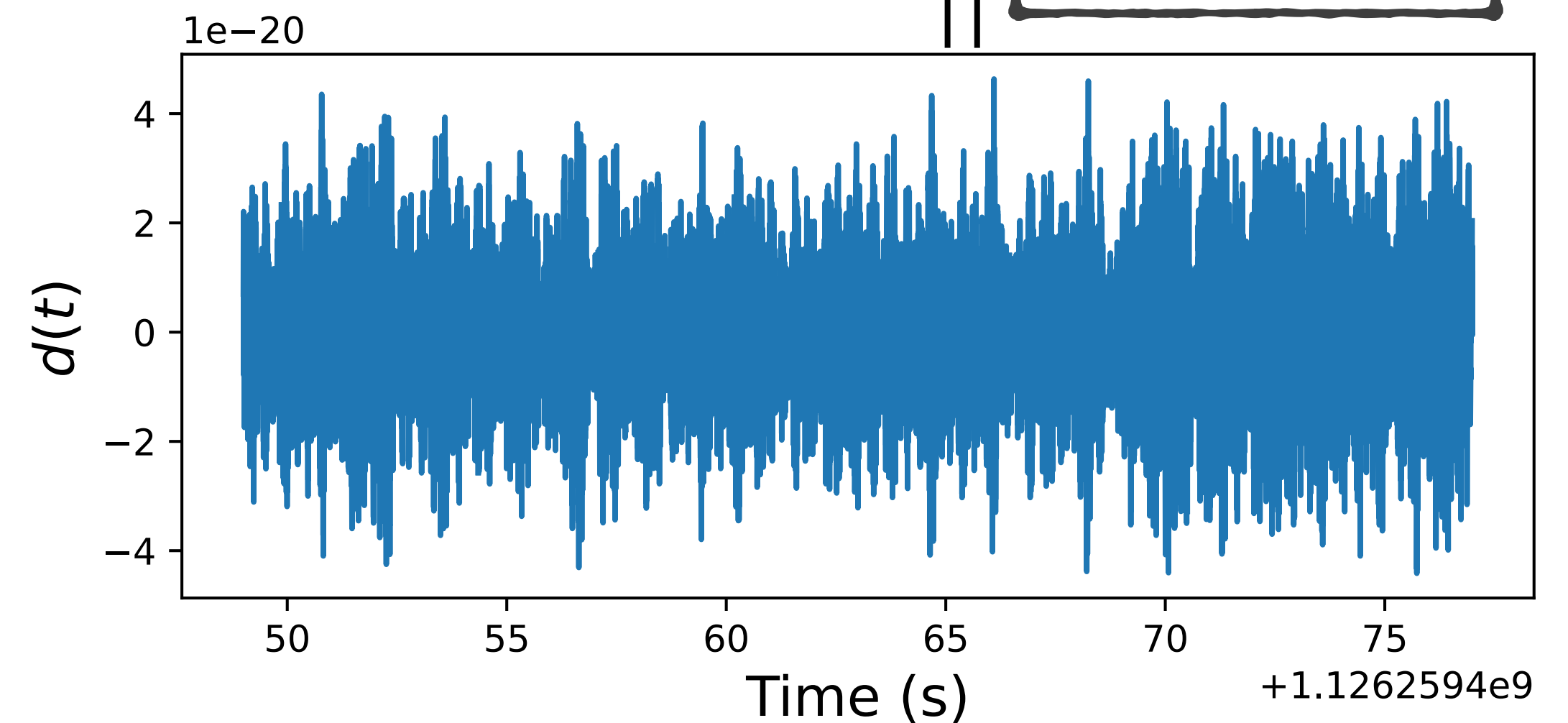
Search Pipelines



Detector noise

$$d(t) = h(t) + n(t)$$

Expected strain



Parameter Inference: Bayes' Theorem

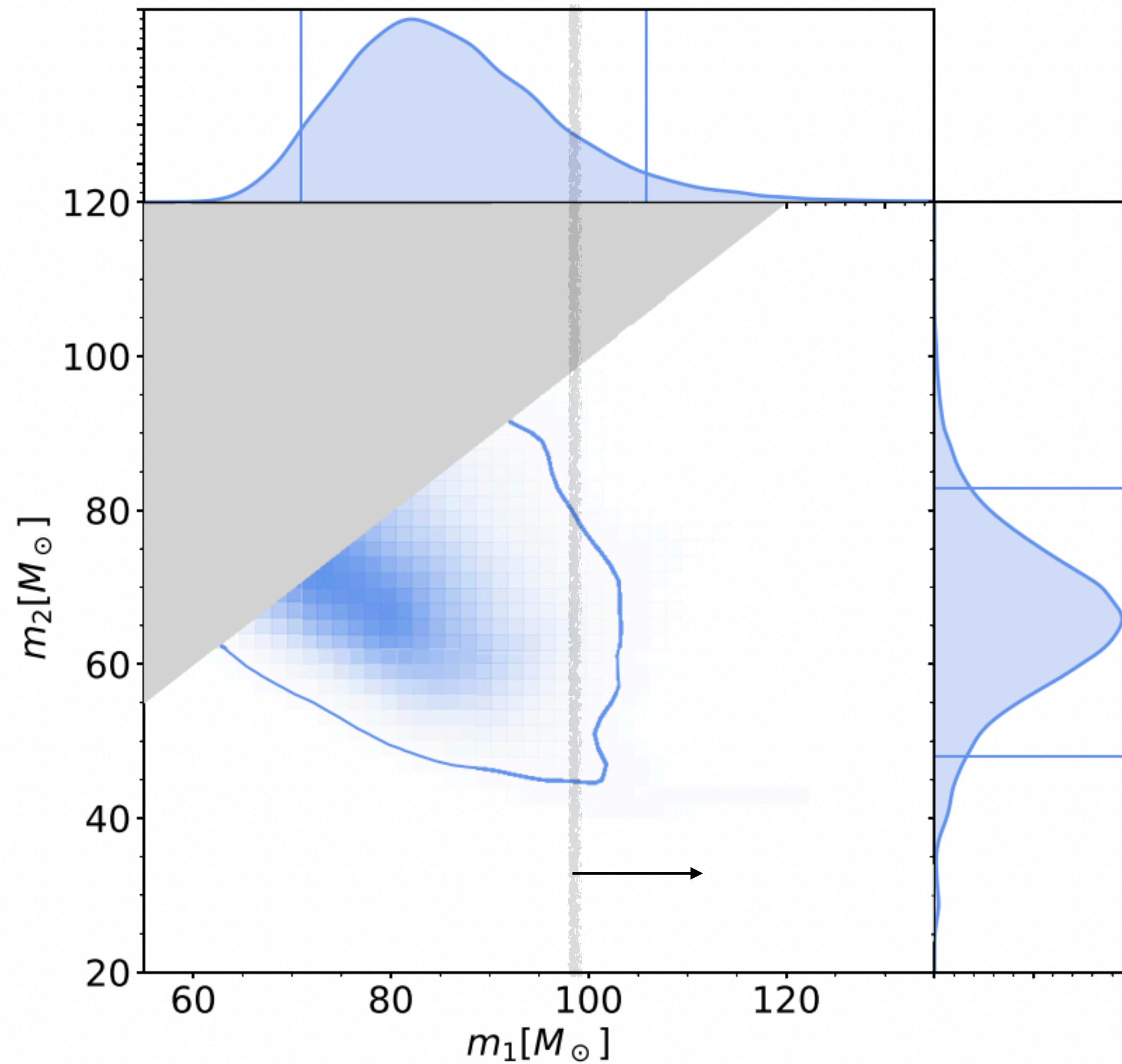
- Let's say we know that the data segment d contains a GW signal. Then the distribution of the parameters can be reconstructed using Bayes' theorem as follows:

The diagram illustrates Bayes' Theorem with the following components and arrows:

- Likelihood**: An arrow points down to the term $P(d|\boldsymbol{\theta}, \mathcal{H})$ in the numerator of the fraction.
- Prior**: An arrow points down-left to the term $P(\boldsymbol{\theta}|\mathcal{H})$ in the numerator of the fraction.
- Evidence**: An arrow points up to the term $P(d|\mathcal{H})$ in the denominator of the fraction.
- Posterior**: An arrow points right to the entire expression $P(\boldsymbol{\theta}|d, \mathcal{H})$.

$$\text{Posterior} \longrightarrow P(\boldsymbol{\theta}|d, \mathcal{H}) = \frac{P(d|\boldsymbol{\theta}, \mathcal{H})P(\boldsymbol{\theta}|\mathcal{H})}{P(d|\mathcal{H})},$$

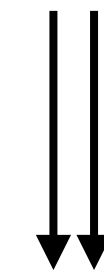
Example: GW190521



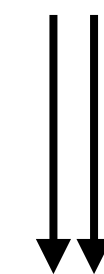
Abott et al. 2020

$$m_1 = 85^{+21}_{-14} M_{\odot}$$

$$m_2 = 66^{+17}_{-18} M_{\odot}$$



$$\sigma_{C12} = -2.4^{+0.6}$$



$$S(300 \text{ keV}) = 73^{+11} \text{ keV b}$$

Farmer et al. 2019

GW population analysis

- Detection of BBHs allows us to measure/constrain the (hyper-) parameters which characterise the properties of BBHs from a formation channel.

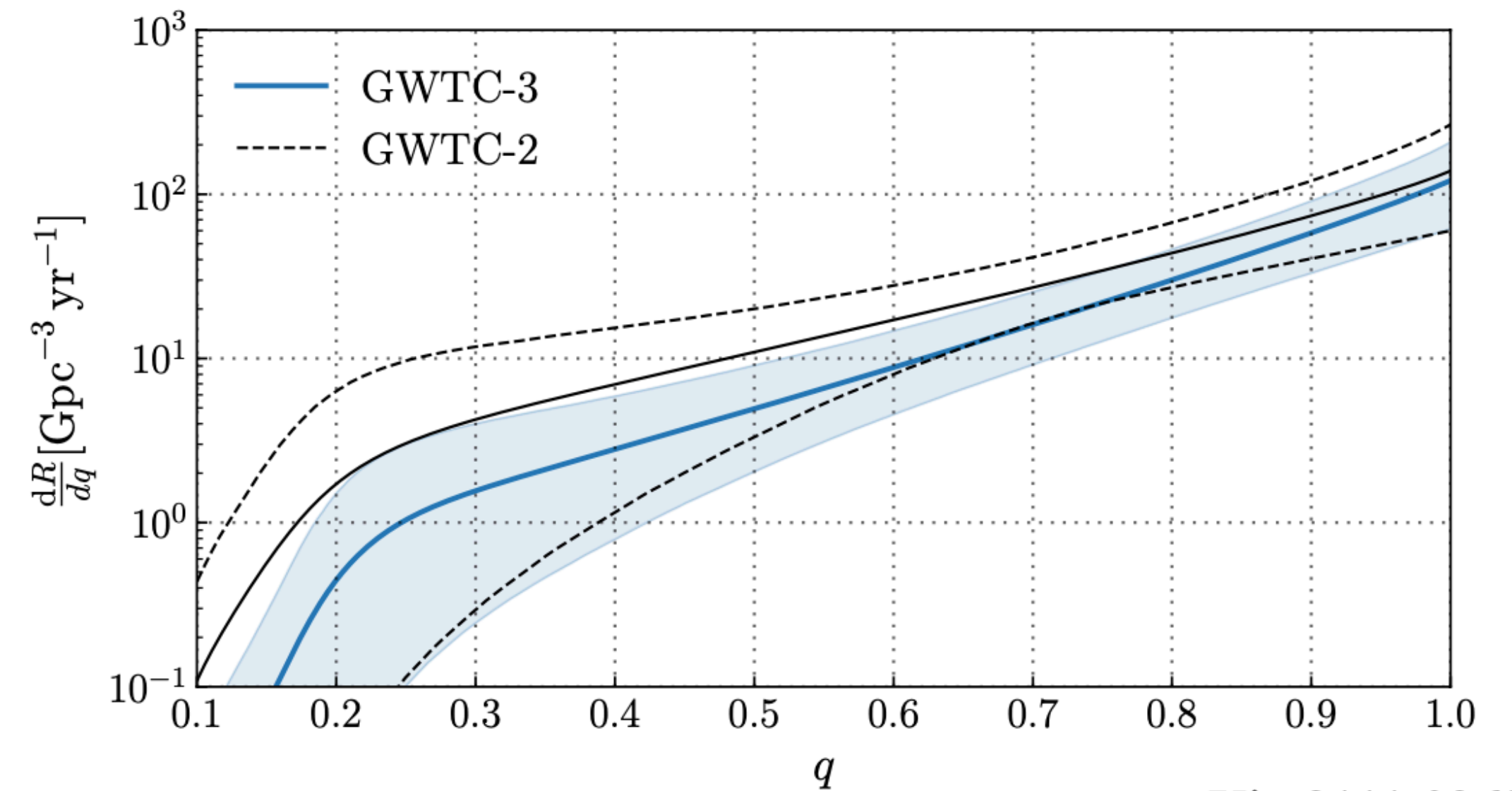
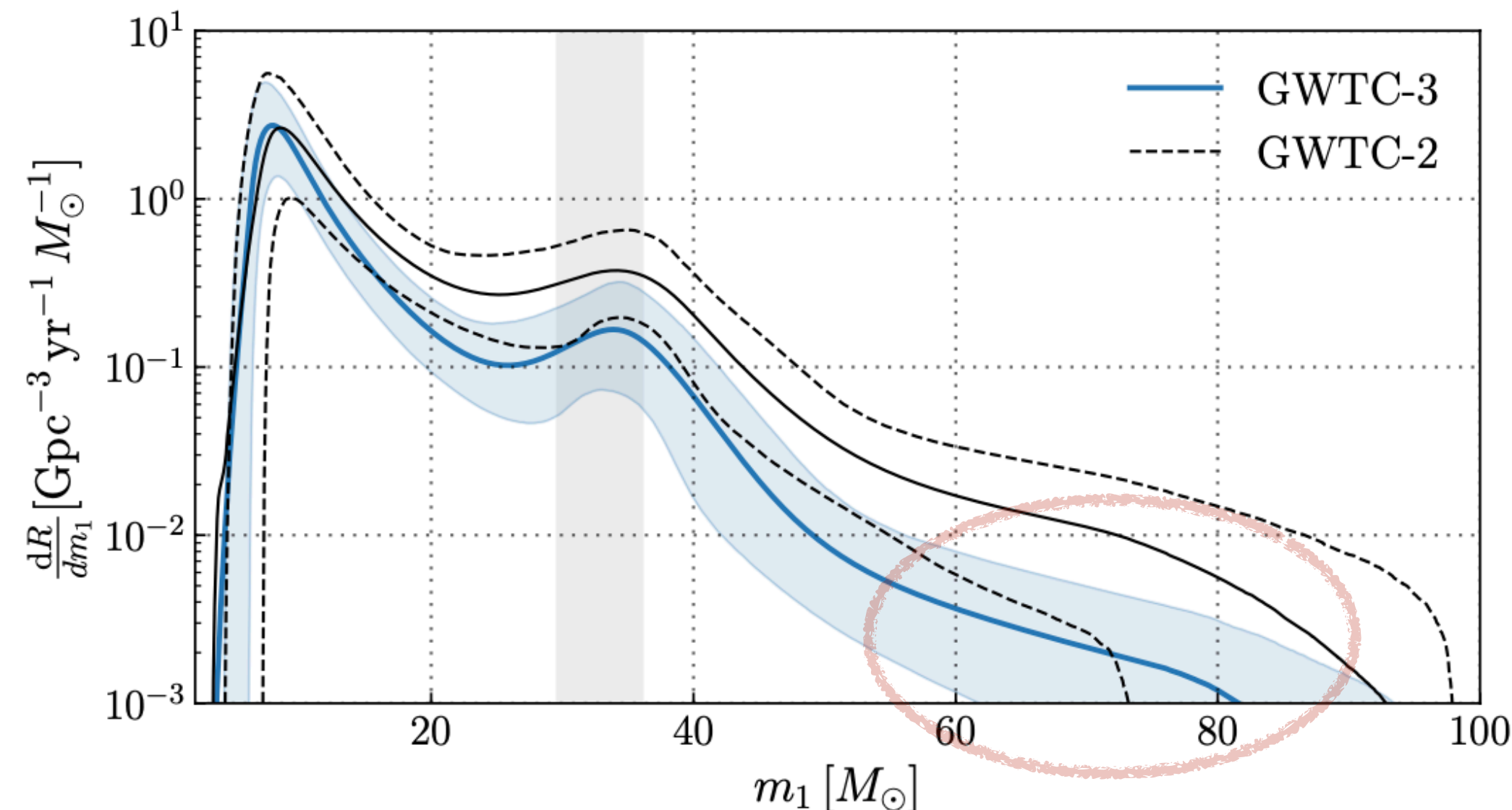
$$\begin{aligned} P(m_1) &\propto m_1^{-\alpha} \\ P(q) &\propto q^\beta \end{aligned}$$

- Let's denote by Λ the set of parameters which give you the shape of BBH mass function.

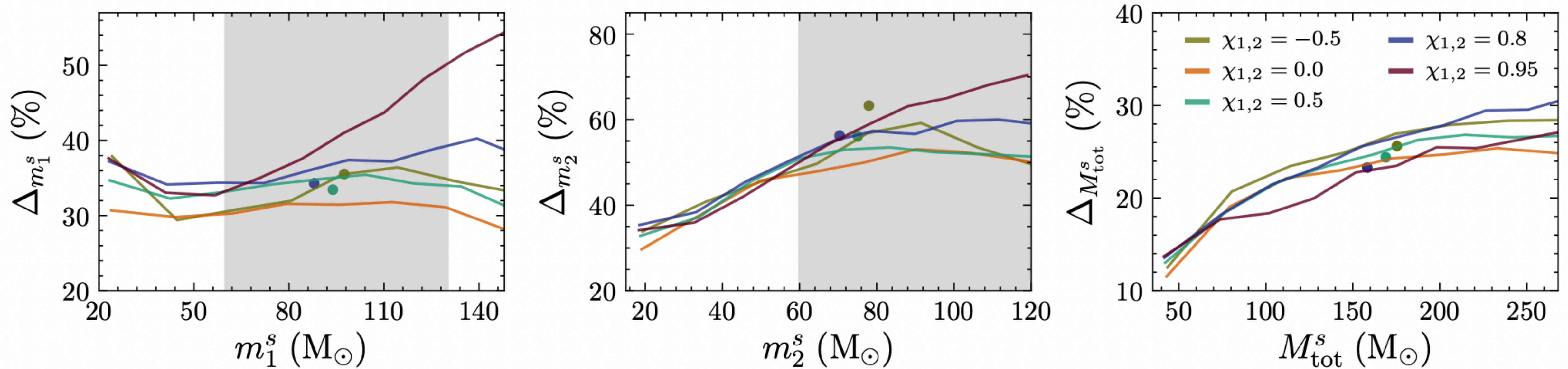
Hierarchical Bayesian approach $\Rightarrow \mathcal{L}(\{d\}|\Lambda) \propto \prod_{i=1}^{N_{\text{det}}} \frac{\int \mathcal{L}(d_i|\theta) \pi(\theta|\Lambda) d\theta}{\xi(\Lambda)}.$

For given parameter set Λ , this quantifies the fraction of binaries that are detectable.

Once Λ is measured, we can predict BBH mass function, as shown below.

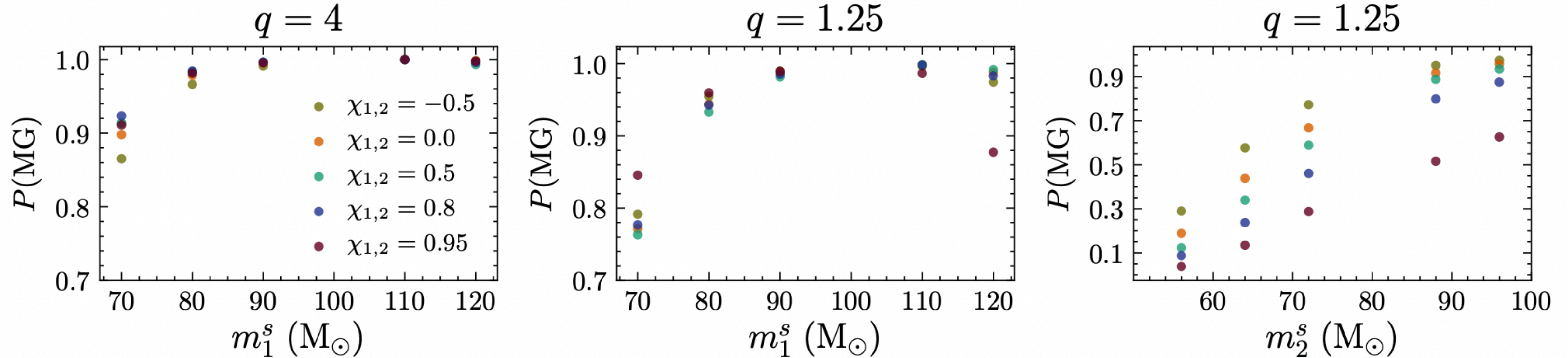


Injection study at O4/O5 sensitivity



- The primary mass can be measured with precision better than $< 40\%$ in the mass gap.

Injection study at O4/O5 sensitivity



- Most of the BBH signals whose primary mass lie in the mass gap will be faithfully placed in the mass gap from GW observations during O4/O5.

Summary

- GW observations from upcoming LIGO-Virgo-KAGRA runs (e.g., O4) are expected to provide much better measurement of primary mass of the BBH signals.
- This, in turn, should lead to much better estimation of lower edge of mass-gap.
- This will further tighten the constraints on the astrophysical S-factor.