# Materials Learning Algorithms (MALA): Learning the electronic structure of materials with neural networks



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#### 19. October 2021 // Lenz Fiedler

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Contents





# Multiscale modeling of materials under extreme conditions



 Modeling of materials under extreme conditions across several length and time scales

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### Multiscale modeling of materials under extreme conditions



- Modeling of materials under extreme conditions across several length and time scales
- Important for advanced applications (astrophysics, materials discovery, ...)



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# Multiscale modeling of materials under extreme conditions



- Modeling of materials under extreme conditions across several length and time scales
- Important for advanced applications (astrophysics, materials discovery, ...)
- Combination of multiple simulation methods required



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• Simulations via KS-DFT at  $\tau > 0$ K, approximating grand canonical ensemble

$$\begin{bmatrix} -\frac{1}{2}\nabla^2 + v_{s}^{\tau}(\boldsymbol{r}) \end{bmatrix} \phi_{j}(\boldsymbol{r}) = \epsilon_{j}^{\tau}\phi_{j}(\boldsymbol{r}) , \qquad (1)$$

$$n(\boldsymbol{r}) = \sum_{j} f^{\tau}(\epsilon_{j}^{\tau}) |\phi_{j}(\boldsymbol{r})|^{2} , \qquad (2)$$

$$A_{\text{total}}^{\text{BO}}[n] = T_{s}[\phi_{j}] - \tau S_{s}[\phi_{j}] + E_{H}[n] + E_{\text{xc}}^{\tau}[n] + E^{ei}[n] + E^{ii} , \qquad (3)$$

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- Large computational cost (esp. at higher temperatures)
  - High temperature require large number of KS wave functions



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# Framework for learning LDOS: MALA





- Encoding of local information using SNAP descriptors (LAMMPS code)
- Feed-foward neural networks built and trained using PyTorch
- Local Density of States post-processed using analytical relations and QuantumESPRESSO
- Data generation done via VASP (DFT-MD) and QE (DFT, DFT-MD)



#### **Results I: Proof of concept (Aluminium at 933K)**







# **Results II: Size transfer (Beryllium at 298K)**





# **Results III: Hyperparameter optimization (Aluminium at 298K)**







• Accurate surrogate models can be created based on LDOS

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- Size transfer between models possible if training data is carefully selected

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- Application to larger temperatures



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- Size transfer between models possible if training data is carefully selected
- Application to larger temperatures
- Calculation of physical quantities of interest via MD or Monte-Carlo

#### **MALA cooperation partners**





Check MALA out on GitHub: https://github.com/mala-project

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 J. A. Ellis, L. Fiedler, G. A. Popoola, N. A. Modine, J. A. Stephens, A. P. Thompson, A. Cangi, and S. Rajamanickam.
 Accelerating finite-temperature kohn-sham density functional theory with deep neural networks.
 *Phys. Rev. B*, 104:035120, Jul 2021.

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# Thank you for your attention!

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