

Data-Driven Shadowgraph Simulation of a 3D Object

Anna Willmann Hoffmann Group Helmholtz-Zentrum Dresden-Rossendorf

Laser Wakefield Acceleration

- A high intensity laser pulse propagates through plasma and generates a plasma electron density wave behind it
- The resulting plasma wave is called "laser wakefield" supports high electric fields, and electrons can be accelerated to high energies in these fields within a very short length



Felicie Albert, Alec Thomas, Stuart Mangles, S Banerjee, S ebastien Corde, A. Flacco, Michael Litos, D Neely, J. Vieira, Zulfikar Naj-mudin, Robert Bingham, Chandrashekhar Joshi, and T Katsouleas.Laser wakefield accelerator based light sources: Potential applications and requirements. Plasma Physics and Controlled Fusion, 56:084015, 07 2014

Shadowgraph

- Shadowgraph is a technique to visualize LWFA process
- Associated with the electron density distribution within the plasma wave
- Provide information about its size and shape



A. Saevert, S. P. D. Mangles, M. Schnell, E. Siminos, J. M. Cole, M. Leier, M. Reuter, M. B. Schwab, M. Moeller, K. Poder, O. Jaeckel, G. G. Paulus, C. Spielmann, S. Skupin, Z. Najmudin, and M. C.Kaluza. Direct observation of the injection dynamics of a laser wake-field accelerator using few-femtosecond shadowgraphy. Phys. Rev. Lett., 115:055002, Jul 2015

Shadowgraph

Simulation of plasma cavities









Target simulation Shadowgram of a simple object

- Evaluation of the first surrogate model on simulations of a shadowgraph for a simple object
- Solution is approximated by finite difference time domain method, implemented in library Meep[1].





size of cell = 12μm × 12μm × 12μm boundary: absorbing layer of 2μm

-0.8

[1]: Ardavan F. Oskooi, David Roundy, Mihai Ibanescu, Peter Bermel, J.D. Joannopoulos, and Steven G. Johnson. Meep: A flexible free-software package for electromagnetic simulations by the fdtd method. Computer Physics Communications, 181(3):687 – 702, 2010

Problem statement

<u>Physical model:</u> propagation of 3D electrical field given by Maxwell's equations through a cell with a sphere with varying radius and refractive index

<u>Aim:</u> interpolated field propagation based radius and refractive index of the sphere

<u>ldea:</u>

Reduced Order Model

1. Compression of 3D field data by autoencoder into a reduced space

2. MLP-based mapping from parameter space to the reduced space (based on pre-trained AE)



Compression method

- A convolutional autoencoder to decrease dimensionality of space and reconstruct it back to the original size for reduction of memory consumption and time of fast-forward computations
- Objective function is a supervised reconstruction error



Simulation in the reduced space

- MLP-based mapping *F* between simulation parameters and its dimensionaly reduced representation
- Objective function is a supervised approximation error



Simulation in the reduced space

Surrogate model scheme:

- 1. Map given parameters to a reduced respresentation of the field propagation
- 2. Decompression to the original dimensionality



Shadowgraph Surrogate Model Results





Which volume is ground-truth?





 $r = 3.25 \mu m, n = 1.65, t = 9.0$

Shadowgraph Surrogate Model Results

Autoencoder

• Size of training data: 18Gb per simulation,

35 simulations in total

- Training time of the autoencoder: 29 hours
- Resources: 28 GPUs NVIDIA V100
- \rightarrow Compression rate: 7020

Surrogate Model

- MLP-based projection from parameters to latent space
- Training time: 6 hours
- Resources: 8 GPUs NVIDIA V100
- \rightarrow Average interpolation error: 0.01813



$$r = 3.25 \mu m, n = 1.65, t = 9.0$$

Summary

- Developed a surrogate model for field propagation in 3D
- Recurrency of computation in temporal dimension is avoided
- High compression rate of 3D field data
- Technical preparation is finished for a simple problem, and the model can be extended to simulations with more complex objects

Published as a workshop paper at ICLR 2021 SimDL Workshop

DATA-DRIVEN SHADOWGRAPH SIMULATION OF A 3D OBJECT

Anna Willmann¹, Patrick Stiller¹, Alexander Debus¹, Arie Irman¹, Richard Pausch¹, Yen-Yu Chang¹, Michael Bussmann^{1,2}, Nico Hoffmann¹

¹ Helmholtz-Zentrum Dresden - Rossendorf, Bautzner Landstrasse 400, 01328 Dresden, Germany ² CASUS - Center for Advanced Systems Understanding, Untermarkt 20, 02826 Görlitz, Germany a.willmann@hzdr.de

Thank you for your attention!